

# RNA Bioinformatics

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# Overview

- ▶ PART 1: RNA Structures and How to Compute Them
- ▶ PART 2: RNA Landscapes
- ▶ PART 3: The Modern RNA World

# PART1

## Why RNA?

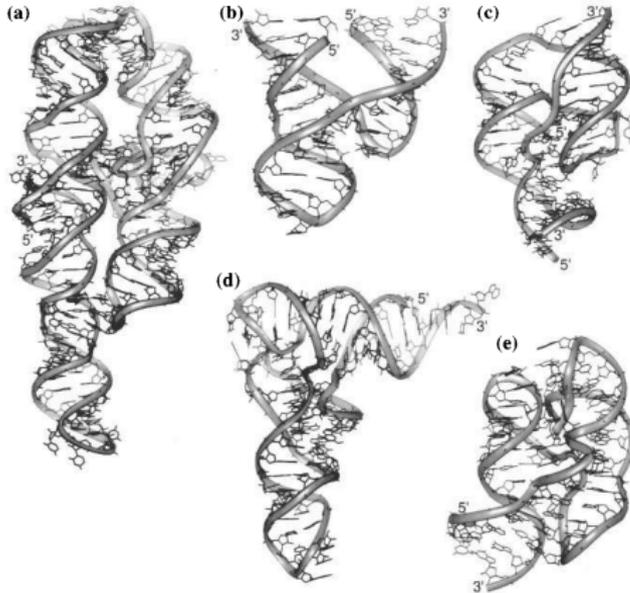
- ▶ until relatively recently:  
Central Dogma of Molecular Biology  
DNA → RNA → Protein  
DNA = “genetic memory”, RNA = working copy, proteins do the work
- ▶ around 1980: discovery of catalytic RNAs (Nobelprize for Tom Cech and Sidney Altman)  
nevertheless long considered “exotic” remnants from the ancient RNA world
- ▶ around 2000: structure of the ribosome shows that the ribosome is an “RNA enzyme”
- ▶ around 2000: microRNAs are discovered as a large class of regulatory RNAs that inhibit translation of proteins
- ▶ 2006: the ENCODE project shows that human gene expression is quite different from textbook knowledge

# RNA Bioinformatics

RNA Secondary Structures are an appropriate level of description

- ▶ explain the thermodynamics of RNA Structures
- ▶ often highly conserved in evolution
- ▶ can be computed efficiently

# Many Functional RNAs are Structured

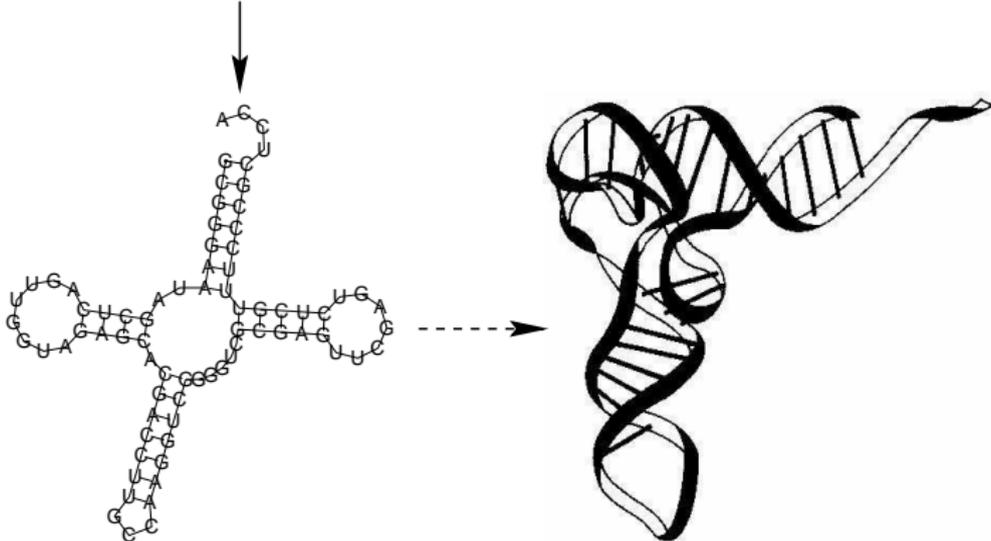


- (a) Group I intron P4-P6 domain
- (b) Hammerhead ribozyme
- (c) HDV ribozyme
- (d) Yeast tRNA<sup>Phe</sup>
- (e) L1 domain of 23S rRNA

Hermann & Patel, JMB 294, 1999

# The RNA Model

GCGGAAUAGCUCAGUUGGUAGAGCACGACCUUGCCAAGGUCGGGGUCGCGAGUUCGAGUCUCGUUCCCGCUCCA



## Formal Definition

A **secondary structure** on a sequence  $s$  is a collection of pairs  $(i, j)$  with  $i < j$  such that

- ▶ Base pairing rules are respected, i.e.,  $(i, j) \in \Omega$  implies  $(s_i, s_j)$  form an allowed pair (**GC, CG, AU, UA, GU, UG**)
- ▶ Each base is involved in at most one pair, i.e.,  $\Omega$  is a matching,  $(i, j), (i, k) \in \Omega$  implies  $j = k$  and  $(i, k), (j, k) \in \Omega$  implies  $i = j$ .
- ▶  $(i, j) \in \Omega$  implies  $|j - i| > 3$  (sterical constraint)
- ▶ No-crossing rule:  $(i, j), (k, l) \in \Omega$  and  $i < k$  implies either  $i < k < l < j$  or  $i < j < k < l$ .

This excludes so-called pseudoknots

## Let's count the structures ...

Counting secondary structures. Given a sequence of length  $n$ .

$\Pi_{kl} = 1$  if sequence positions  $k, l$  **can** form a pair **GC, CG, AU, UA, GU, UG** and  $\Pi_{kl} = 0$  otherwise.

$N_{kl}$  = number of structures of the *subsequence* from  $k$  to  $l$ .

**Basic recursion:**

$$\bullet \text{xxxxxxx} + \sum (\text{xxxx})\text{xxxx}$$

$$N_{kl} = N_{k+1,l} + \sum_{j=k+m}^l \Pi_{kj} N_{k+1,j-1} N_{j+1,l}$$

# RNA Folding in a nutshell



$$N_{ij} = N_{i+1,j} + \sum_{\substack{k \\ (i,k)\text{pair}}} N_{i+1,k-1} N_{k+1,j}$$

$$E_{ij} = \min \left\{ E_{i+1,j} + \min_{\substack{k \\ (i,k)\text{pair}}} (E_{i+1,k-1} + E_{k+1,j} + \varepsilon_{ik}) \right\}$$

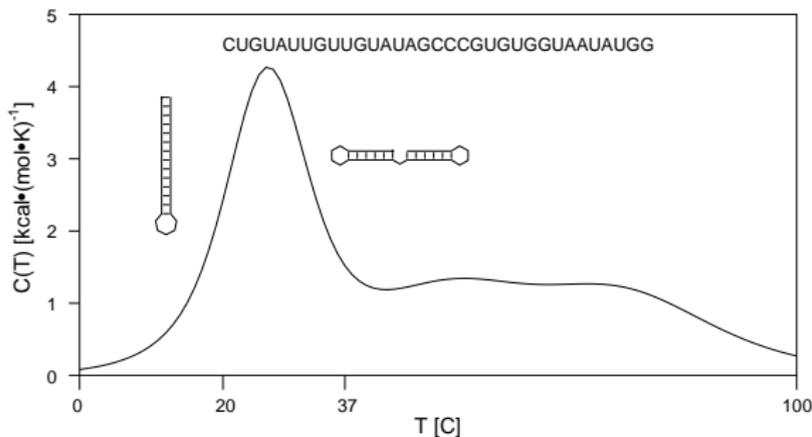
$$Z_{ij} = Z_{i+1,j} + \sum_{\substack{k \\ (i,k)\text{pair}}} Z_{i+1,k-1} Z_{k+1,j} \exp(-\varepsilon_{ik}/RT)$$

Partition function:  $Z = \sum_{\Omega} \exp(-E(\Omega)/RT)$

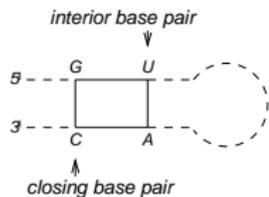
## A word on the Partition Function

The partition function is the link between the combinatorics of the structures (in general: states in an ensemble) and the thermodynamic properties of the physical ensemble, e.g.:

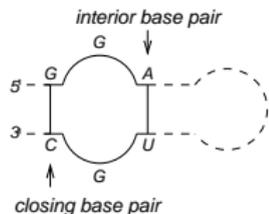
- ▶ Free energy  $G = -RT \ln Z$
- ▶ Expected Energy  $\langle E \rangle = RT^2 \frac{\partial \ln Z}{\partial T}$
- ▶ Heat Capacity  $C_p = -T \frac{\partial^2 G}{\partial T^2}$



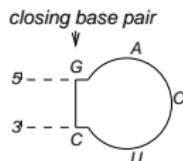
# Realistic Energy Model



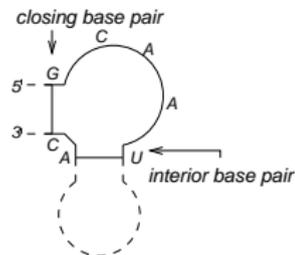
**stacking pair**



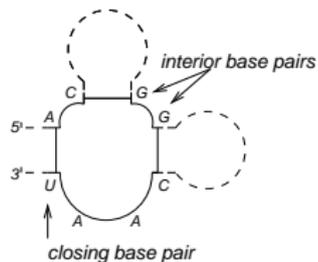
**interior loop**



**hairpin loop**



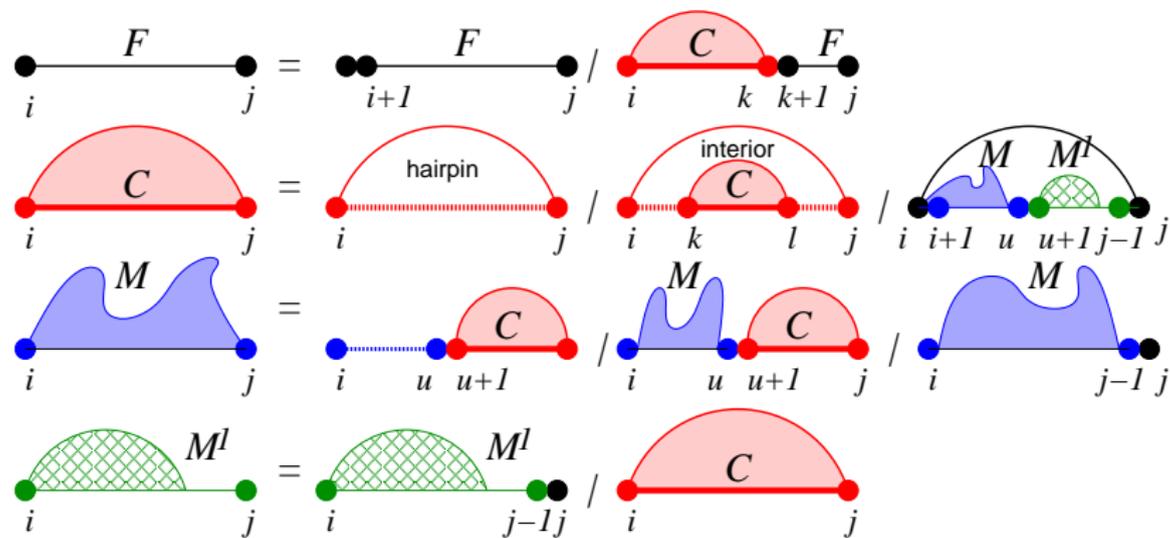
**bulge**



**multi-loop**

Parameters from large number of melting experiments by Douglas Turner, David Matthews, John Santa Lucia, and others

# Recursions for Linear RNAs



## Recursions for Linear RNAs

- $F_{ij}$  free energy of the optimal substructure on the subsequence  $x[i, j]$ .
- $C_{ij}$  free energy of the optimal substructure on the subsequence  $x[i, j]$  subject to the constraint that  $i$  and  $j$  form a base pair.
- $M_{ij}$  free energy of the optimal substructure on the subsequence  $x[i, j]$  subject to the constraint that that  $x[i, j]$  is part of a multiloop and has at least one component, i.e., a sub-sequence that is enclosed by a base pair.
- $M_{ij}^1$  free energy of the optimal substructure on the subsequence  $x[i, j]$  subject to the constraint that that  $x[i, j]$  is part of a multiloop and has exactly one component, which has the closing pair  $i, h$  for some  $h$  satisfying  $i \leq h < j$ .

## Recursions for Linear RNAs

$$F_{ij} = \min \left\{ F_{i+1,j}, \min_{i < k \leq j} C_{ik} + F_{k+1,j} \right\}$$

$$C_{ij} = \min \left\{ \mathcal{H}(i,j), \min_{i < k < l < j} C_{kl} + \mathcal{I}(i,j;k,l), \right. \\ \left. \min_{i < u < j} M_{i+1,u} + M_{u+1,j-1}^1 + a \right\}$$

$$M_{ij} = \min \left\{ \min_{i < u < j} (u - i - 1)c + C_{u+1,j} + b, \right. \\ \left. \min_{i < u < j} M_{i,u} + C_{u+1,j} + b, M_{i,j-1} + c \right\}$$

$$M_{ij}^1 = \min \left\{ M_{i,j-1}^1 + c, C_{ij} + b \right\}$$

## Backward Recursion: Base Pairing Probabilities

$$p_{ij} = \frac{Z_{1,i-1} \hat{Z}_{i,j} Z_{j+1,n}}{Z_{1,n}} + \sum_{k < i} \sum_{l > j} p_{kl} \Xi_{ij,kl}.$$

$\Xi_{ij,kl}$  is a ratio of the two partition functions:

$\hat{Z}_{ij,kl}$  ... both  $i, j$  and  $k, l$  pair

$\hat{Z}_{kl}$  ...  $k, l$  pair.

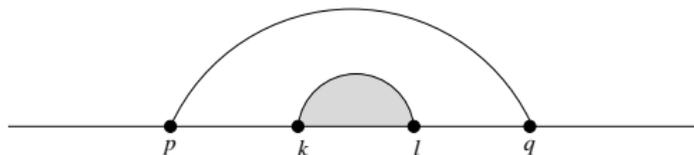
Simplest case:

$\hat{Z}_{ij,kl} = Z_{k+1,i-1} \hat{Z}_{ij} Z_{j+1,l-1} \zeta_{kl}$  where  $\zeta_{kl} = \exp(-\beta_{kl}/RT)$  is the Boltzmann factor of the pairing energy

## Backward recursion: full model

Backward recursion:

$$P_{kl} = P_{kl}^{\circ} + \sum_{p < k; q > l} P_{pq} \frac{Z_{k,l}^B}{Z_{p,q}^B} \left\{ e^{-\mathcal{I}(p,q,k,l)} \right. \\ \left. + \left( \sum_{p < u < k} Z_{p+1,u}^M Z_{u+1,k-1}^{M1} \right) e^{-(a+(q-l-1)c)} \right. \\ \left. + \left( \sum_{l < u < q} Z_{l+1,u}^M Z_{u+1,q-1}^{M1} \right) e^{-(a+(k-p-1)c)} \right. \\ \left. + Z_{p+1,k-1}^M Z_{l+1,q-1}^M \right\}$$



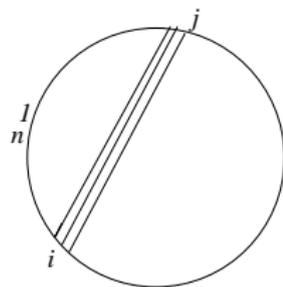
# Single-Stranded Circular RNAs

- ▶ Viroid RNA
- ▶ Hepatitis Delta Virus Genome
- ▶ Cryptic by-products of splicing formed intronic sequence
- ▶ Circularized C/D box snoRNAs were recently reported in *Pyrococcus furiosus*
- ▶ Synthetic constructs for *in vitro* selection

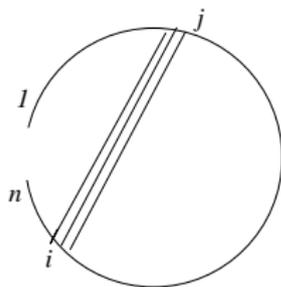
# Circular, Linear, and Interacting RNAs

In the maximum matching case

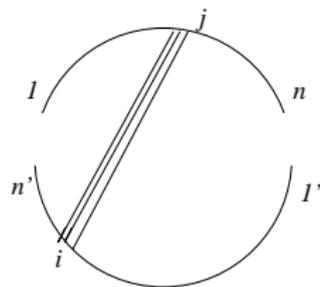
⇒ same algorithm for all three cases



CIRCULAR FOLDING



LINEAR FOLDING

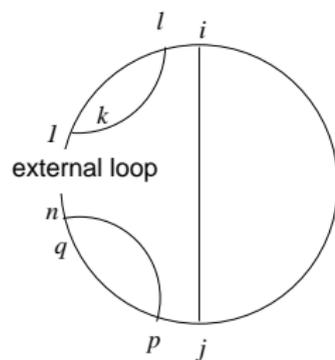


BINARY COFOLDING

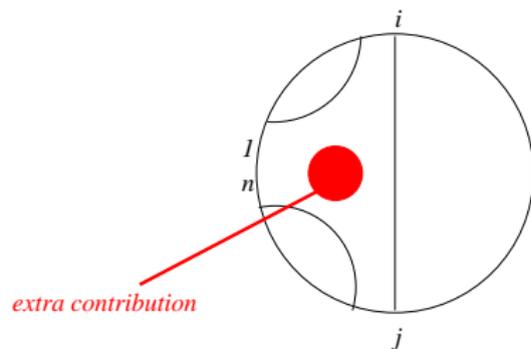
# Linear versus Circular Folding

Linear folding: energy contributions *inside* a pair  $(i, j)$  *only*.

Co-folding: additional contribution for loop spanning  $[n, 1]$ .



no energy contribution for external loop



no external loop

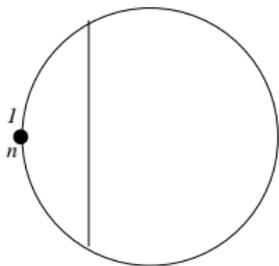
► **Strategy 1** (e.g. Michael Zucker's mfold)

For each pair  $(i, j)$ : compute energy both inside and outside the pair

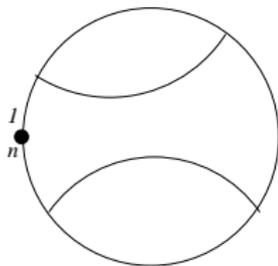
⇒ doubles memory requirements

► **Strategy 2** (Vienna RNA Package)

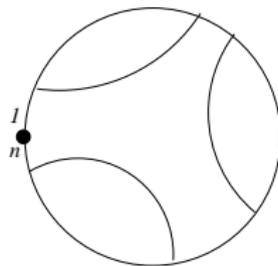
First compute linear folding energies. Then compute energies for the loop spanning  $[n, 1]$ .



hairpin loop



interior loop or bulge



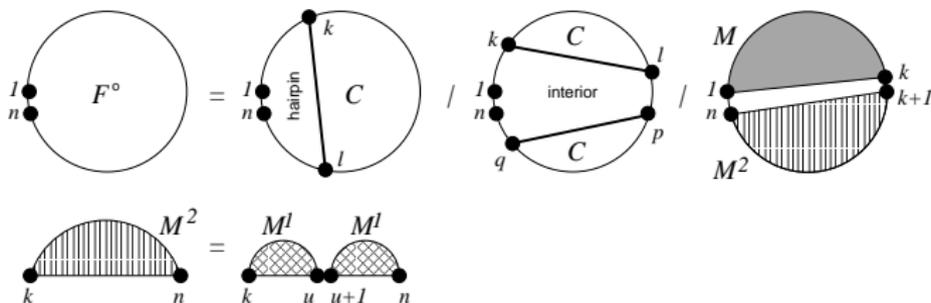
multi-branch loop

# Implementing Circular Folding

Relative to linear folding, only the loop containing the cut has to be re-evaluated.

Three cases: cut in Hairpin, Interior-, or Multi-loop

$$F^{\circ} = \min\{F_H^{\circ}, F_I^{\circ}, F_M^{\circ}\}$$



► **Exterior Hairpin.**

$$F_H^\circ = \min_{p < q} \{C_{pq} + \mathcal{H}(q, p)\}$$

► **Exterior Interior Loop.**

$$F_I^\circ = \min_{k < l < p < q} \{C_{pq} + C_{kl} + \mathcal{I}(q, p, l, k)\}$$

► **Exterior Multi-Loop.**

Modified decomposition: one or more components  $M_{1,k}$  + exactly two components  $M_{k+1,n}^2$

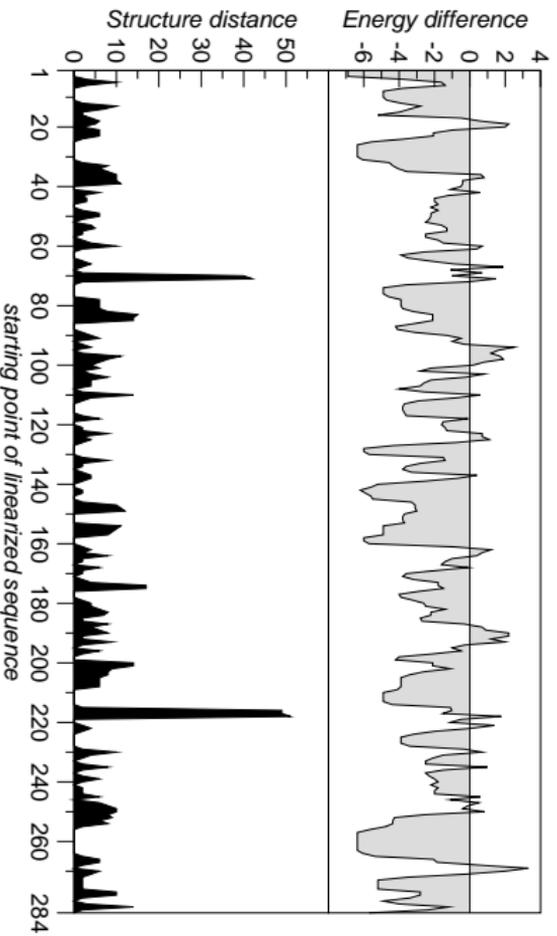
$$M_{kn}^2 = \min_{k < u < n} (M_{ku}^1 + M_{u+1,n}^1)$$

$$F_M^\circ = \min_{1 < k < n} \{M_{1,k} + M_{k+1,n}^2 + a\}$$

► **Folding energy:**  $F^\circ = \min\{F_H^\circ, F_I^\circ, F_M^\circ\}$

# Applications of Circular Folding

It does make a difference



Citrus viroid IV

RNAfold –circ in the Vienna RNA Package

## Local structures

Idea: Restrict Recursion to base pairs  $(i, j)$  with  $j - i < L$ .

Special interest in **robust** structures:

$Z_{ij}^{u,L}$  ... partition function of sub-sequence  $[i, j]$  when sequence window  $[u, u + L]$  is folded

$p_{ij}^{u,L}$  ... probability that  $i$  and  $j$  form a base pair when window  $[u, u + L]$  is folded.

$$\begin{aligned} Z_{ij}^{u,L} &= \begin{cases} Z_{ij} & \text{if } [i, j] \subseteq [u, u + L] \\ 0 & \text{otherwise} \end{cases} \\ p_{ij}^{u,L} &= \frac{Z_{1,i-1}^{u,L} \hat{Z}_{i,j}^{u,L} Z_{j+1,n}^{u,L}}{Z_{u,u+L}^{u,L}} + \sum_{k < i} \sum_{l > j} p_{kl}^{u,L} \Xi_{ij,kl}^{u,L} \\ &= \frac{Z_{u,i-1} \hat{Z}_{i,j} Z_{j+1,u+L}}{Z_{u,u+L}} + \sum_{k < i} \sum_{l > j} p_{kl}^{u,L} \Xi_{ij,kl} \end{aligned}$$

## Robust local structures

Average probability of an  $(i, j)$  pair over all folding windows containing the sequence interval  $[i, j]$

$$\pi_{ij}^L = \frac{1}{L - (j - i) + 1} \sum_{u=j-L}^i p_{ij}^{u,L}.$$

Direct Recursion:

$$\begin{aligned} \pi_{ij}^L &= \underbrace{\frac{1}{L - (j - i) + 1} \sum_{u=j-L}^i \frac{Z_{1,i-1}^{u,L} \widehat{Z}_{i,j}^{u,L} Z_{j+1,n}^{u,L}}{Z_{1,n}^{u,L}}}_{\pi_{ij}^{*L}} + \frac{1}{L - (j - i) + 1} \sum_{u=j-L}^i \sum_{k < i} \sum_{l > j} p_{kl}^{u,L} \Xi_{ij,kl} \\ &= \pi_{ij}^{*L} + \sum_{k=j-L}^{i-1} \sum_{l=j+1}^{i+L} \sum_{u=l-L}^k \frac{p_{kl}^{u,L} \Xi_{ij,kl}}{L - (j - i) + 1} = \pi_{ij}^{*L} + \sum_{k=j-L}^{i-1} \sum_{l=j+1}^{i+L} \frac{L - (k - l) + 1}{L - (j - i) + 1} \pi_{kl}^L \Xi_{ij,kl}. \end{aligned} \quad (1)$$

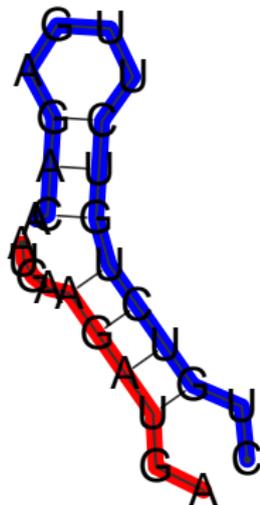
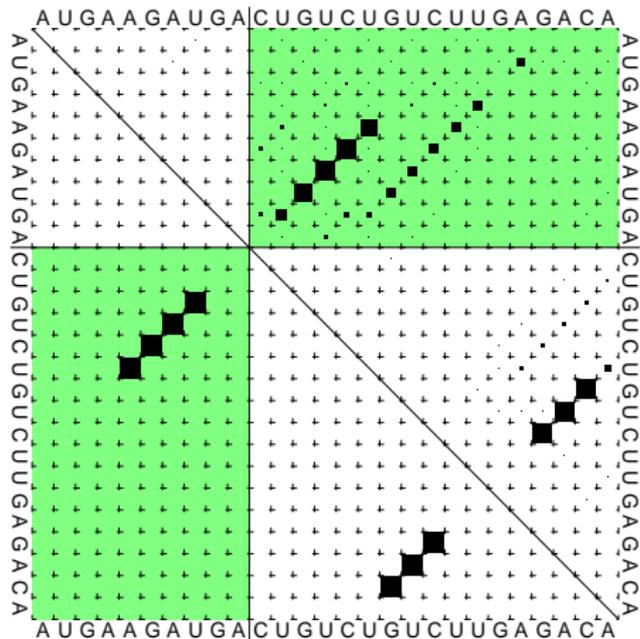


Local structures ( $L=100$ ) in a 740 nt region of human X chromosome

## Cofold: How to deal with Concentration?

- ▶ Algorithmically that same as linear folding  
special energy contribution for “loop with the cut”
- ▶ Additional energy contribution for forming duplex
- ▶ At least 5 molecular species need to be taken into account  
(Dmitrov & Zuker, 2005):  $A$ ,  $B$ ,  $A_2$ ,  $B_2$ ,  $AB$ .
- ▶ Their folding energies and partition functions are easily  
computed

# Cofold



Dot plot (left) and mfe structure representation (right) of the cofolding structure of the two RNA molecules AUGAAGAUGA (red) and CUGUCUGUCUUGAGACA.

## Cofold: Concentration dependencies

$$Q = V^n \frac{a!b! \times (Z^I A)^{n_A} (Z^{IAA})^{n_{AA}} (Z^{IAB})^{n_{AB}} (Z^{IBB})^{n_{BB}} (Z^I B)^{n_B}}{n_A! n_B! 2 n_{AA}! 2 n_{BB}! n_{AB}!}$$

where  $a = n_A + 2n_{AA} + n_{AB}$ . The system minimizes the free energy  $-kT \ln Q$ .

solving this optimization problem yields the equilibria:

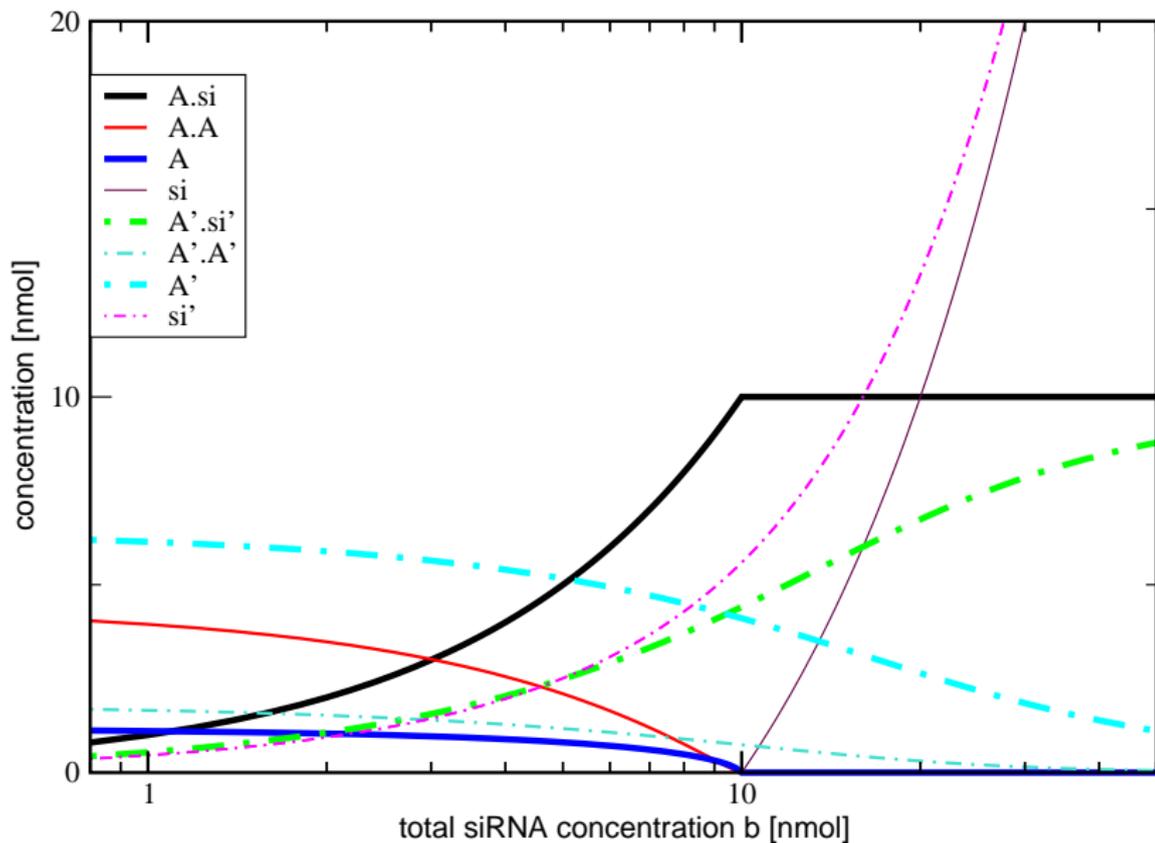
$$[AA] = K_{AA} [A]^2, \quad [BB] = K_{BB} [B]^2. \quad [AB] = K_{AB} [A][B].$$

with  $[A] = 6.023 \times 10^{23} n_A$ , etc., and

$$K_{AA} = \frac{Z^{IAA}}{(Z^I A)^2} = \frac{(Z^{AA} - (Z^I A)^2) e^{-\Theta_I/RT} / 2}{(Z^I A)^2} = \frac{1}{2} e^{-\Theta_I/RT} \left( \frac{Z^{AA}}{(Z^I A)^2} - 1 \right)$$

$$K_{BB} = \frac{1}{2} e^{-\Theta_I/RT} \left( \frac{Z^{BB}}{(Z^I B)^2} - 1 \right)$$

$$K_{AB} = e^{-\Theta_I/RT} \left( \frac{Z^{IAB}}{Z^I A Z^I B} - 1 \right)$$



Example for the concentration dependency for two mRNA-siRNA binding experiments.

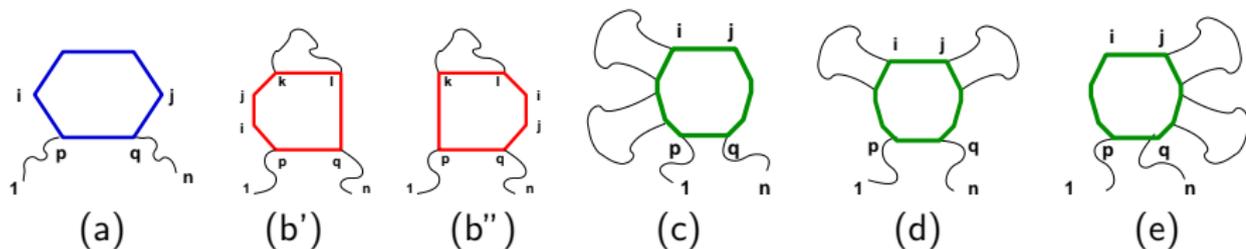
## RNAup: Small RNAs Binding to Large Ones

- ▶ RNA folding excludes pseudoknots, i.e., non outerplanar graphs
- ▶ `cofold` thus does not allow small RNA binding into loop regions of large ones
- ▶ ... but this happens in reality

Remedy: Compute energy/partition function

$$P_u[i, j] = \underbrace{\frac{Z[1, i-1] \times 1 \times Z[j+1, M]}{Z}}_{\text{exterior}} + \sum_{\substack{p, q \\ p < i \leq j < q}} \underbrace{P_{pq} \times \frac{Z_{pq}[i, j]}{Z^b[p, q]}}_{\text{enclosed}}$$

that subsequence  $[i, j]$  is unpaired and the energy of binding a short molecule in this location



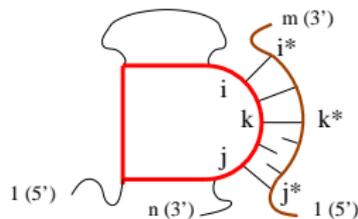
$$\begin{aligned}
 Z_{pq}[i, j] &= \underbrace{\exp(-\beta H(p, q))}_{(a)} \\
 &+ \sum_{\substack{p < i \leq j < k \text{ or} \\ l < i \leq j < q}} \underbrace{Z^b[k, l] e^{-\beta l(p, q; k, l)}}_{(b)} \\
 &+ \sum_{p < i \leq j < q} \underbrace{Z^{m2}[p+1, i-1] e^{-\beta c(q-i)}}_{(c)} \\
 &+ \sum_{p < i \leq j < q} \underbrace{Z^m[p+1, i-1] Z^m[j+1, q-1] e^{-\beta c(j-i+1)}}_{(d)} \\
 &+ \sum_{p < i \leq j < q} \underbrace{Z^{m2}[j+1, q-1] e^{-\beta c(j-p)}}_{(e)}
 \end{aligned}$$

## RNAup: Interaction part

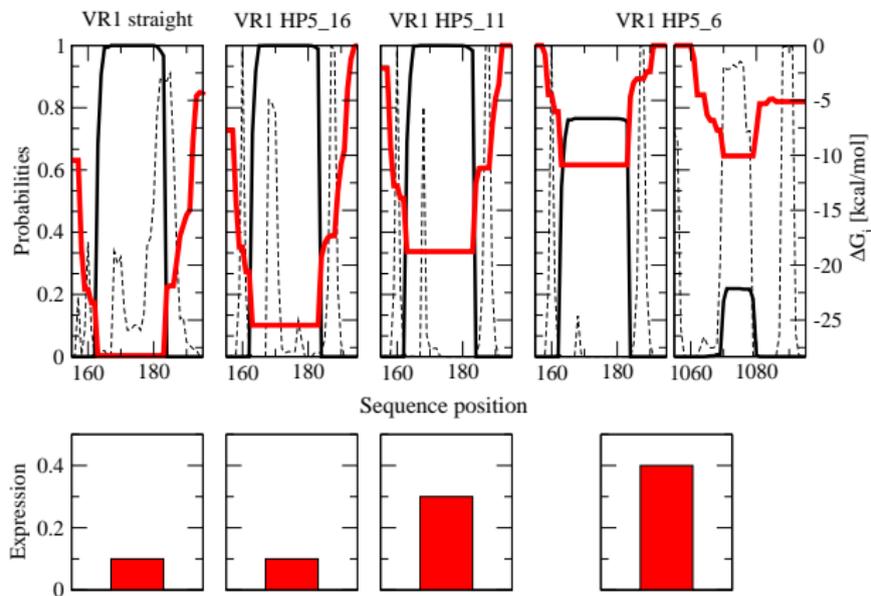
$$Z^l[i, j, i^*, j^*] = \sum_{\substack{i < k < j \\ i^* > k^* > j^*}} Z^l[i, k, i^*, k^*] e^{-\beta I(k, k^*; j, j^*)}$$

$$Z^*[i, j] = P_u[i, j] \sum_{i^* > j^*} Z^l[i, j, i^*, j^*];$$

$$P^*[i, j] = Z^*[i, j] / \sum_{k < l} Z^*[k, l]$$



# RNAup: Application



Binding of siRNAs to VR mRNA.

$P_U[i, i]$  (dashed line),  $P_i^*$  (thick black line),  $\Delta G_i$  (thick red line).

Below: activity of siRNA

## Alternative Approach

Consider RNA Folding as a Machine Learning Problem  
Context Free Grammar + probabilities for production rules  
⇒ Stochastic Context Free Grammars  
see work by Sean Eddy, Jotun Hein, and collaborators

# Folding Kinetics

RNA molecules may have kinetic traps which prevent them from reaching equilibrium within the lifetime of the molecule. Long molecules are often trapped in such meta-stable states during transcription.

Possible solutions are

- ▶ Stochastic folding simulations can predict folding pathways and final structures. Computationally expensive, few programs available.
- ▶ Predicting structures for growing fragments of the sequence can show whether large scale re-folding will occur during transcription. Cheap but inaccurate.
- ▶ Analysis of the energy landscape based on complete suboptimal folding can identify possible traps (local minima).

# Kinetic Folding Algorithm

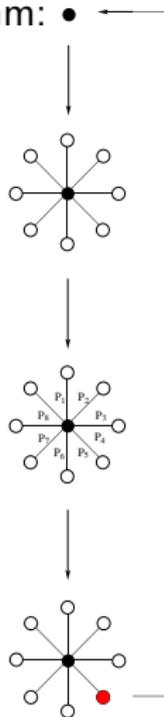
Simulate folding kinetics by a Monte-Carlo type algorithm:

- Generate all neighbors using the move-set
- Assign rates to each move, e.g.

$$P_i = \min \left\{ 1, \exp \left( -\frac{\Delta E}{kT} \right) \right\}$$

Select a move with probability proportional to its rate

Advance clock  $1/\sum_i P_i$ .



# Characterization of Landscapes

A landscape consists of a configuration space  $V$ , a move set within that configuration space and an energy function  $f : V \rightarrow \mathbb{R}$ .

Simplest move set for secondary structure: opening and closing of base pairs.

Speed of optimization depends on the *roughness* of the Landscape.

Measures of roughness suggested in the literature:

- ▶ Number of local optima
- ▶ Correlation lengths (e.g. along a random walk)
- ▶ Lengths of adaptive walks
- ▶ Folding temperature vs. glass temperature  $T_f/T_g$
- ▶ Energy barriers between the local optima. Especially, the maximum barrier height (“depth” in SA literature)

## Energy barriers

$$E[s, w] = \min \left\{ \max [f(z) | z \in \mathbf{p}] \mid \mathbf{p} : \text{path from } s \text{ to } w \right\},$$
$$B(s) = \min \{ E[s, w] - f(s) \mid w : f(w) < f(s) \}$$

### Depth and Difficulty

(borrowed from simulated annealing theory)

$$D = \max \{ B(s) \mid s \text{ is not a global minimum} \}$$

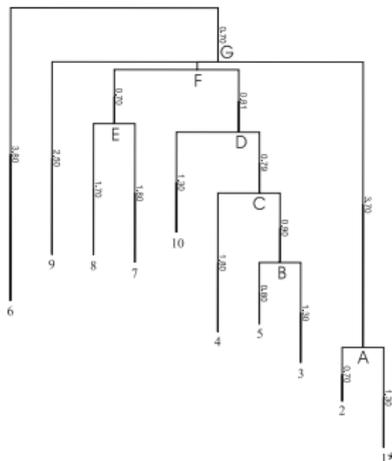
$$\psi = \max \left\{ \frac{B(s)}{f(s) - f(\min)} \mid s \text{ is not a global minimum} \right\}$$

# Energy Barriers and Barrier Trees

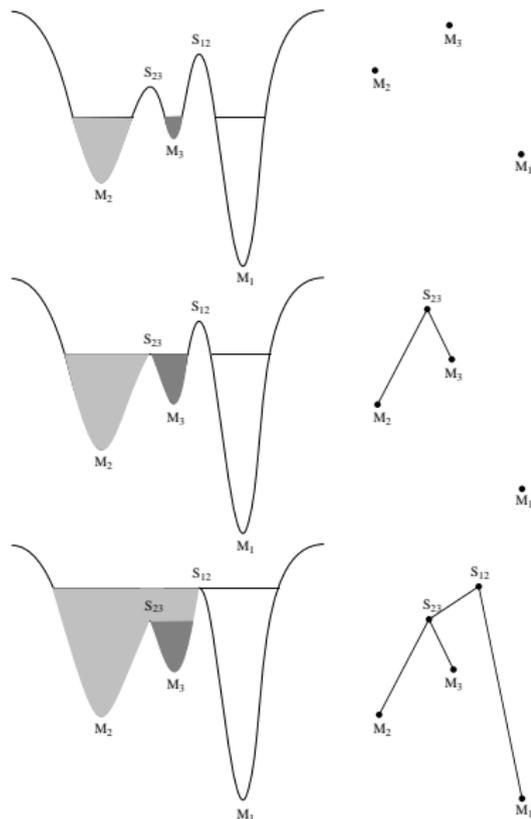
Some topological definitions:

A structure is a

- ▶ *local minimum* if its energy is lower than the energy of **all** neighbors
- ▶ *local maximum* if its energy is higher than the energy of **all** neighbors
- ▶ *saddle point* if there are at least two local minima that can be reached by a downhill walk starting at this point



# Calculating barrier trees



The flooding algorithm:

Read conformations in energy sorted order.

For each conformation  $x$  we have three cases:

(a)  $x$  is a local minimum if it has no neighbors we've already seen

(b)  $x$  belongs to basin  $B(s)$ , if all known neighbors belong to  $B(s)$

(c) if  $x$  has neighbors in several basins  $B(s_1) \dots B(s_k)$  then it's a saddle point that *merges* these basins.

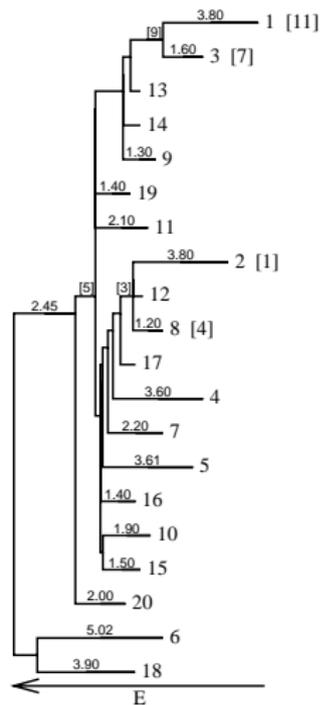
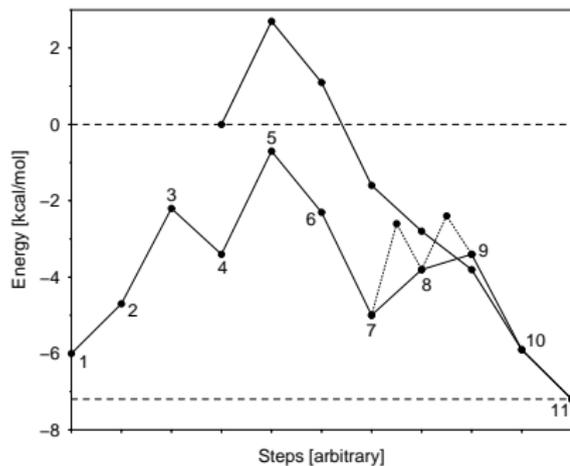
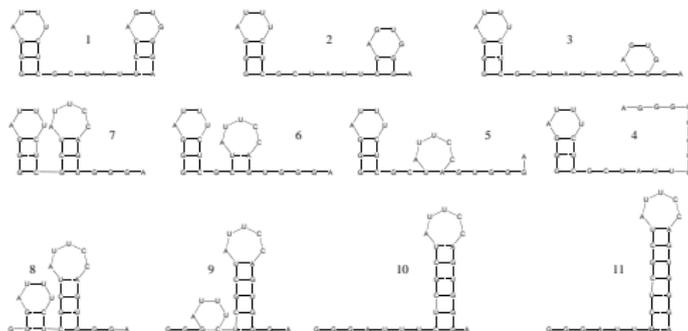
Basins  $B(s_1), \dots, B(s_k)$  are then united and are assigned to the deepest of local minimum.

## Information from the Barrier Trees

- ▶ Local minima
- ▶ Saddle points
- ▶ Barrier heights
- ▶ Gradient basins
- ▶ Partition functions and free energies of (gradient) basins
- ▶ Depth and Difficulty of the landscape

N.B.: A *gradient basin* is the set of all initial points from which a gradient walk (steepest descent) ends in the same local minimum.

# Energy Landscape of a Toy Sequence



# Folding Kinetics

Transition rates from  $x$  to  $y$ :

$$r_{yx} = r_0 e^{-\frac{E_{yx}^\ddagger - E(x)}{RT}} \quad \text{for } x \neq y$$
$$r_{xx} = -\sum_{y \neq x} r_{yx}$$

Kinetics as a Markov process:

$$\frac{dp_x}{dt} = \sum_{y \in X} r_{xy} p_y(t).$$

Transition states:

$$E_{yx}^\ddagger = \max\{E(x), E(y)\}$$

or more complex models (Tacker et al 1994, Schmitz et al 1996)

## Reduced Description of the Folding Dynamics

Macrostates = Classes of a partition of the state space.

Partition function for a macro state:

$$Z_{\alpha} = \sum_{x \in \alpha} \exp(-E(x)/RT)$$

Free energy of a macro state:

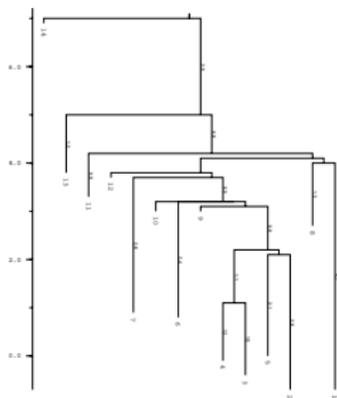
$$G(\alpha) = -RT \ln Z_{\alpha}$$

$$\begin{aligned} r_{\beta\alpha} &= \sum_{y \in \beta} \sum_{x \in \alpha} r_{yx} \text{Prob}[x|\alpha] \quad \text{for } \alpha \neq \beta \\ &= \frac{1}{Z_{\alpha}} \sum_{y \in \beta} \sum_{x \in \alpha} r_{yx} e^{-E(x)/RT} \end{aligned}$$

$r_{\beta\alpha}$  “on flight” while executing the barriers program.

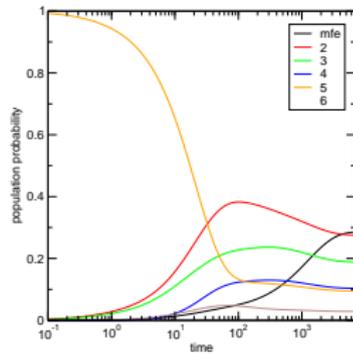
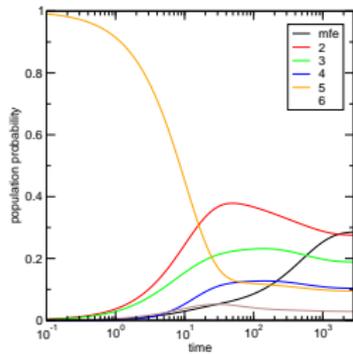
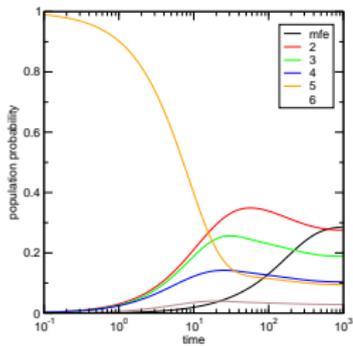
Transition state free energy:

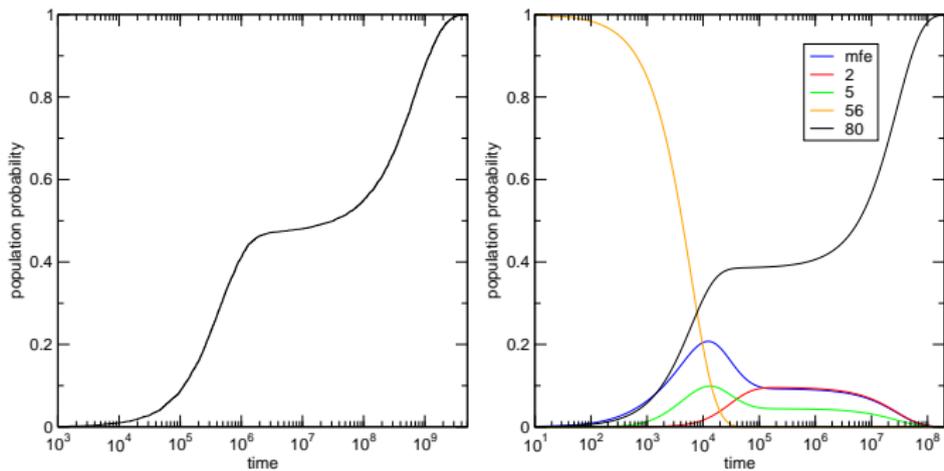
$$G_{\beta\alpha}^{\ddagger} = -RT \ln \sum_{y \in \beta} \sum_{x \in \alpha} e^{-\frac{E_{xy}^{\ddagger}}{RT}}$$



# lilly

## A simple model sequence





Refolding of a tRNA molecule.

## Summary I:

- ▶ RNA structures can be computed efficiently by means of dynamic programming
- ▶ Computations are based on a set of carefully measures energy parameters and an additive energy model
- ▶ Algorithms exist for ground state energy and structure, full partition functions, density of states, interacting structures, ...
- ▶ The folding kinetics of a given RNA Sequence can also be investigated as the level of secondary structures
- ▶ VIENNA RNA PACKAGE

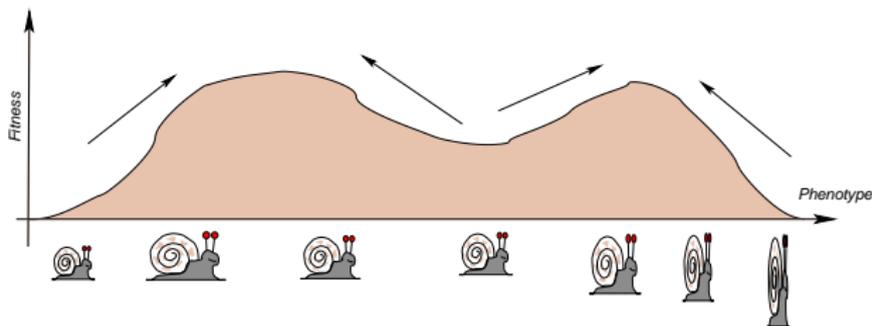
## PART II: How Do RNAs Evolve

### Basic Assumption

Selection Acts on Secondary Structures, Mutations acts on the underlying sequences

⇒ We need to understand the sequence-to-structure map of RNAs  
(hang on, we'll discuss the empirical evidence for that a bit later)

## Sewall Wright's Fitness Landscapes



How do **realistic** fitness landscapes look like?

# Biological Landscapes

The RNA case is a special case of a very general paradigm:

genotype  $\mapsto$  phenotype  $\mapsto$  fitness

*What is the relationship between Genotyp and Phenotype?*

Central topic in any theory of evolution

because:

- \* Selection acts on the Phenotype
- \* Mutation/Recombination acts on the Genotype

*Biopolymers* as the simplest model:

The molecule is **both** genotype (sequence) and phenotype (structure).

The map from genotype to genotype is determined by physical chemistry:

$\longleftrightarrow$  *folding problem*

# Computational Analysis of the RNA Map

There are many more sequences than structures.

(.)-string: 3-letters (with constraints)

$\implies$  less than  $3^n$  structures

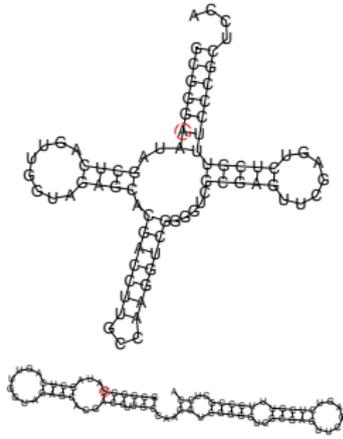
**but**  $4^n$  sequences.

$\implies$  **Redundancy**

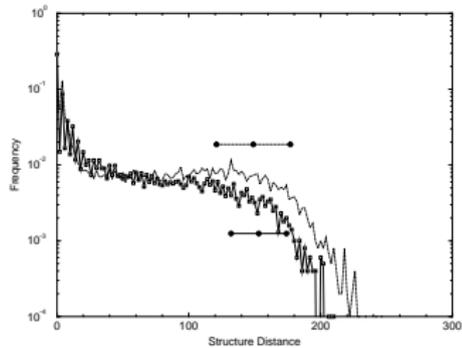
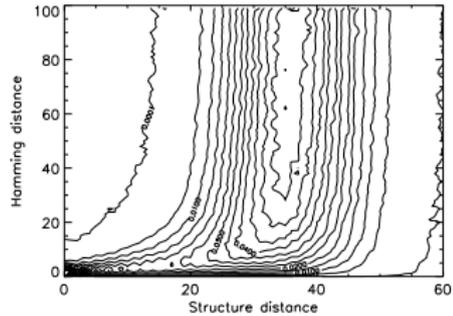
How are sequences folding into the same structure distributed in sequence space?

Neutral Set  $S(\psi) = \{x \in \mathcal{Q}_\alpha^n \mid f(x) = \psi\}$

# Sensitivity and Neutrality



Effect of a single  
point mutation



Distribution of structure distances

# The Random Graph Model

Approach:

Model  $S(\psi)$  as a *random induced subgraph*  $\Gamma$  with a given value

$$\lambda = \frac{\langle \# \text{neutral neighbors} \rangle}{(\alpha - 1)n}$$

Threshold value:

$$\lambda^* = 1 - \left( \frac{1}{\alpha} \right)^{\frac{1}{\alpha-1}}$$

**Theorem.** [Reidys, Stadler, Schuster]

If  $\lambda > \lambda^*$  then  $\Gamma$  is *a.s.* dense and connected,

if  $\lambda < \lambda^*$  then  $\Gamma$  is *a.s.* neither dense nor connected

## A complication: Base Pairing Rules

Unpaired bases:

Alphabet  $\mathcal{A} = \{A, U, G, C\}$

Paired bases: 5' and 3' side correlated:

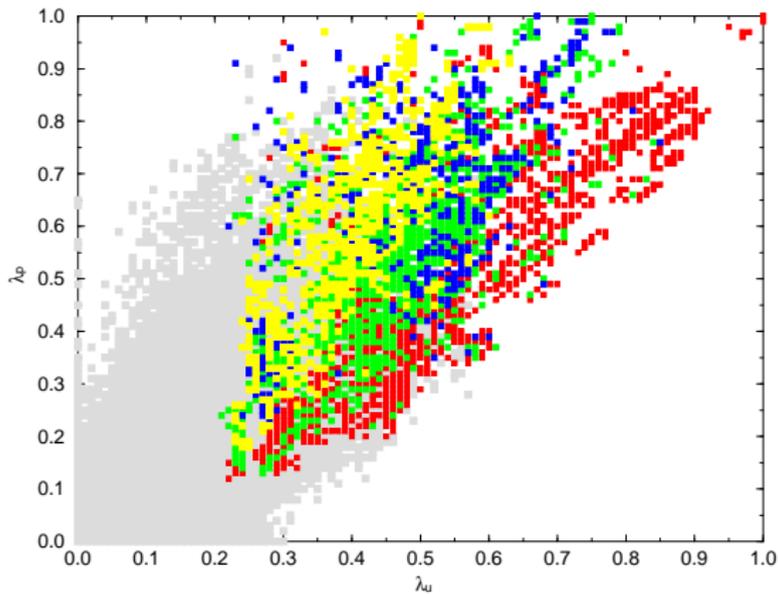
Alphabet:  $\mathcal{B} = \{AU, UA, GC, CG, GU, UG, \}$ .

Thus consider only the set of *compatible sequences*  $C(\psi)$ :

$$S(\psi) \subseteq C(\psi) \equiv \mathcal{Q}_4^{n_u} \times \mathcal{Q}_6^{n_p}.$$

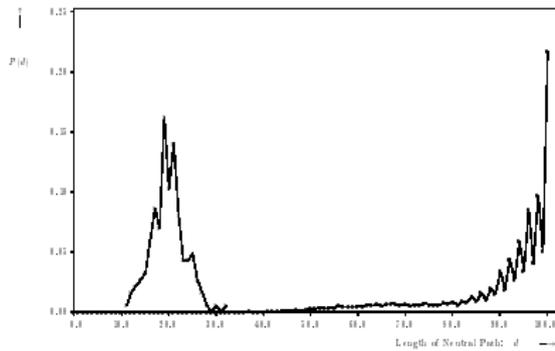
$\implies$  Two neutrality parameters  $\lambda_u$  and  $\lambda_p$

# Connected Components of Neutral Networks

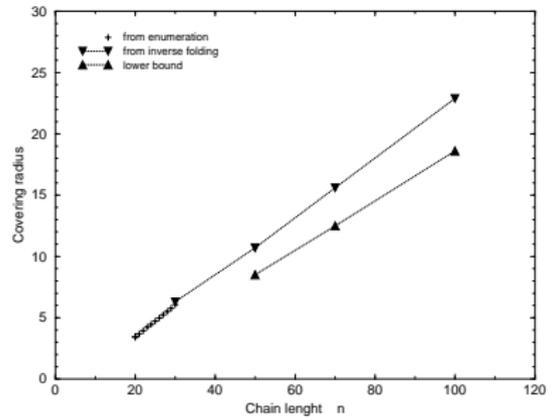


gray	many small components	red	1 connected component
green	2 equal sized components	yellow	3 components size 2:1
blue	4 equal sized components		

*Explanation:* for this deviation from the random graph model in terms of the energy model. Some structures can be made only with a significant bias in the G/C ratio.



Distance to Target structure  
length neutral paths



Covering radius

# Closest Approach

**Intersection Theorem.** For any two secondary structures  $\phi$ , and  $\psi$  holds

$$C(\phi) \cap C(\psi) \neq \emptyset$$

What is the distance of neutral networks

$$\delta(\phi, \psi) = \min\{d(x, y) | f(x) = \phi \text{ and } f(y) = \psi\}$$

Random graph Theory: If  $\lambda > \lambda^*$  then  $\delta(\phi, \psi) \approx 2$ .

Computer simulations: upper bounds on  $\delta(\phi, \psi)$ :

n	GC	AU	AUGC
50	5.6	2.6	2.1
70	9.3	4.6	3.4
100	13.0	7.8	5.6

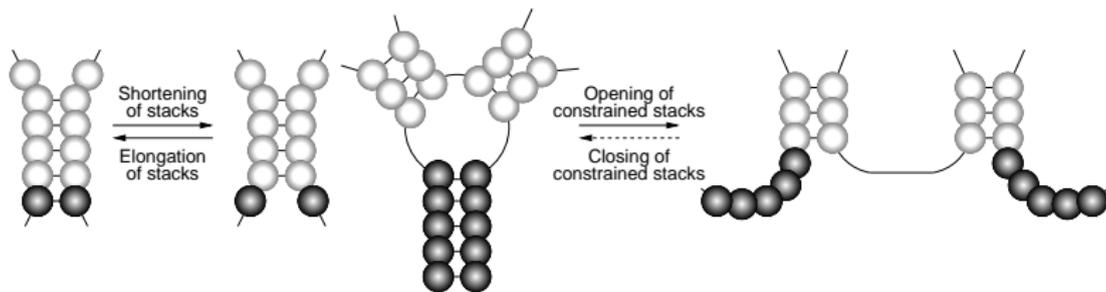
# Accessibility

Fontana & Schuster 1998

Idea: The “interface” between two structures is large if they are “similar”.

More precisely: Structure  $\psi$  is *accessible* for  $\phi$  if  $x \in S(\phi)$  is like to have neighbor (mutant)  $x' \in S(\psi)$ .

Structural characterization of “easy” (*continuous*) transitions:



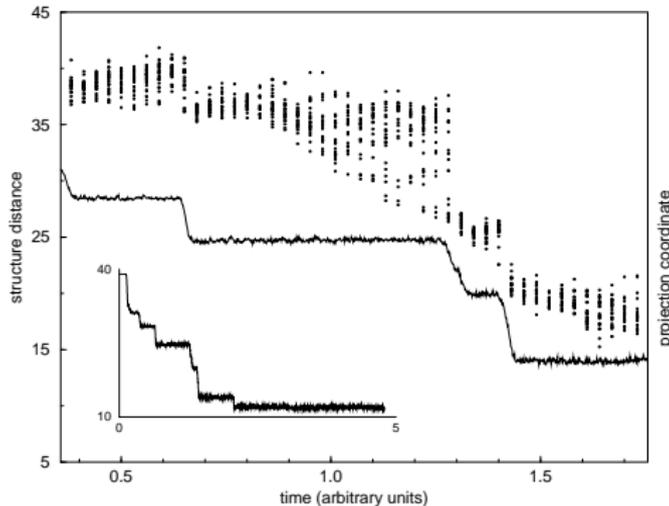
## SUMMARY: Sequence-Structure Map of RNA

1. *Redundancy*: Many more sequences than structures
2. *Sensitivity*: Small changes in the sequences may lead to large changes in the structure
3. *Neutrality*: A substantial fraction of mutations does not alter the structure.
4. *Isotropy*:  $S(\psi)$  is “randomly” embedded in  $C(\psi)$ .

### Implications:

1. *Neutral Networks*:  $S(\psi)$  forms a connected “percolating” network in sequence space for all “common” structures.
2. *Shape Space Covering*: Almost all structures can be found in a relatively small neighborhood of almost every sequence.
3. *Mutual Accessibility*: The neutral networks of any two structures almost touch each other somewhere in sequence space.

# Simulated Trajectories



**Punctuated equilibria** = diffusion of neutral networks +  
constant rate of innovation +  
exponential selection of rare mutants

## Diffusion Constant

... can be deduced from Moran model:

$$D = \bar{\lambda} \frac{6Anp}{3 + 4Np} (1 + 1/N) \sim \begin{cases} (3/2)A(n/N) & p \gg 0 \\ 2Anp & p \ll 1 \end{cases} \quad \text{or } N \gg 1$$

$A$  ... replication rate

$n$  ... sequence length

$N$  ... population size

$p$  ... mutation rate

$\bar{\lambda}$  ... neutrality of network

## Dynamics of Interacting Replicators

$$\mathbb{I}_k + \mathbb{I}_j \longrightarrow \mathbb{I}_l + \mathbb{I}_k + \mathbb{I}_j$$

With mutation:

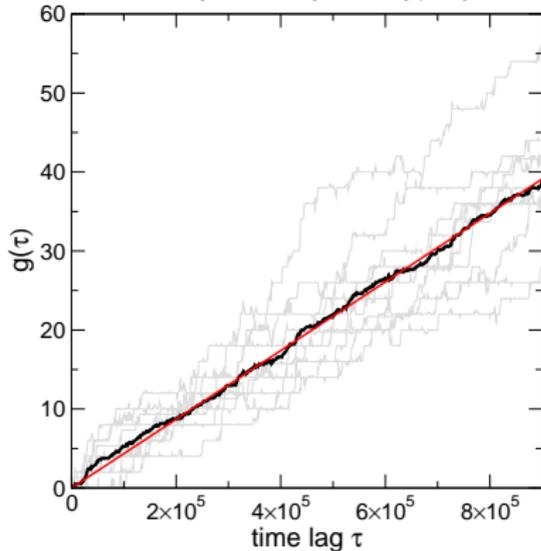
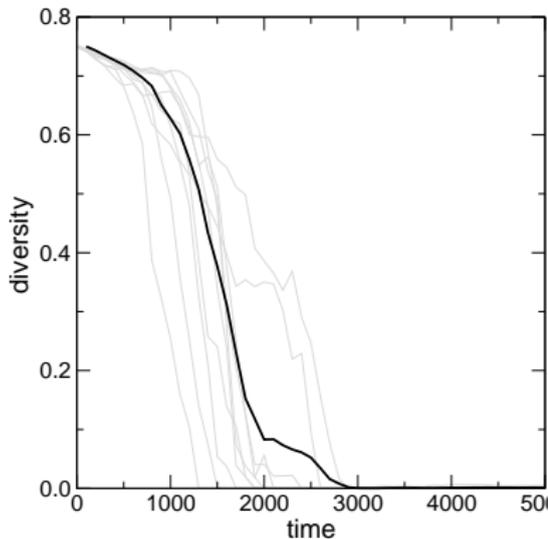
$$\dot{x}_k = x_k \left( \sum_j A_{kj} x_j - \sum_{i,j} A_{ij} x_i x_j \right) + \sum_{l,j} (Q_{kl} A_{lj} x_j x_l - Q_{lk} A_{kj} x_k x_j)$$

where

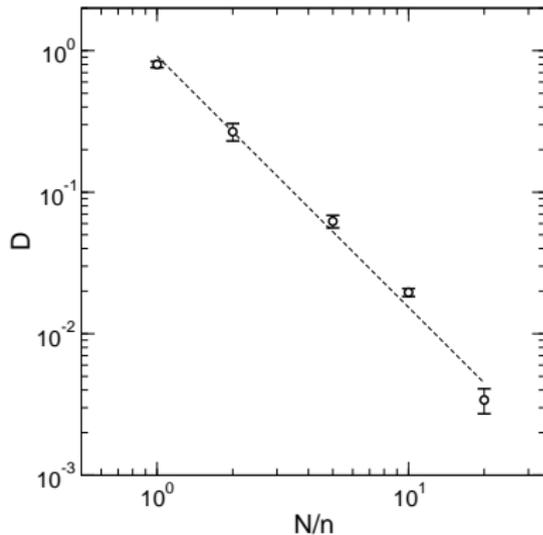
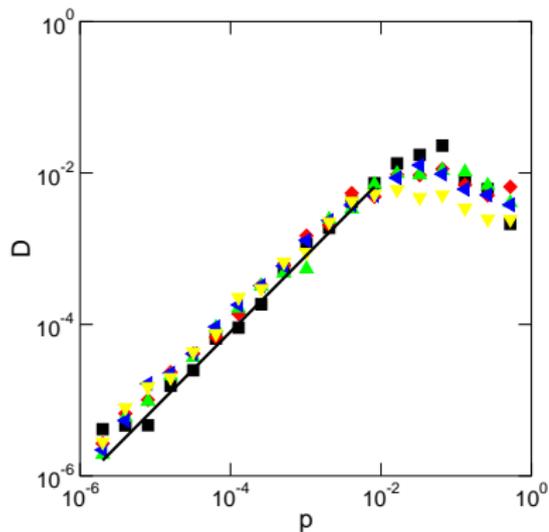
$$Q_{kl} = (1 - p)^{n-d(k,l)} \left( \frac{p}{\alpha - 1} \right)^{d(k,l)}$$

How does this behave in **sequence space**?

Simplest case: Simplest case:  $A_{kl} = A_0(1 - d(\mathbb{I}_k, \mathbb{I}_l)/n)$ :



$$g(\tau) = \frac{1}{T_2 - T_1 + 1} \sum_{t=T_1}^{T_2} \|\mathbf{p}(t + \tau) - \mathbf{p}(t)\|^2$$

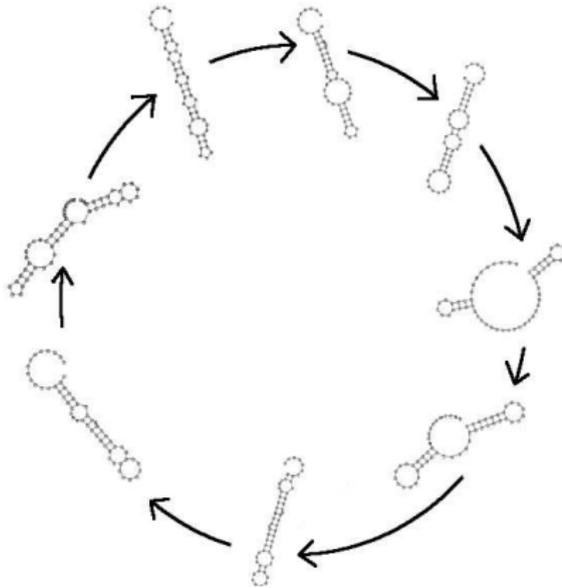


Left: Diffusion coefficient  $D$  as a function of the mutation rate for  $N = 10, 20, 30, 40, 80$  and

$n = 10, 20, 30, 40, 80$  such that  $N/n = 1$  after equilibration for  $10^5$  timesteps. Right: Dependence of the ratio

$D/p$  on  $N/n$ .

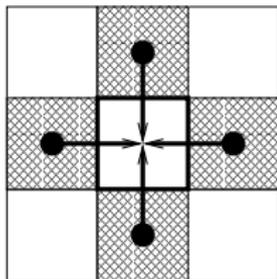
## An RNA-Based Model in the Plane



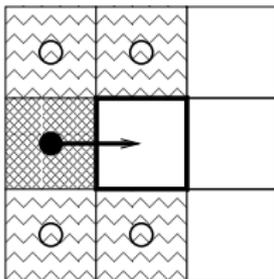
Target hypercycle with 8 members.

Model:  
Hypercyclically coupled species, each sequence has a *function* that depends on its structure.

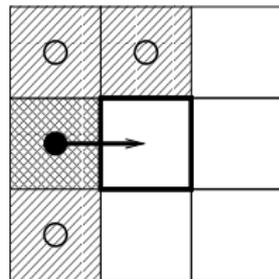
## Spatial Extension: CA Model



 *Possible Replicators*

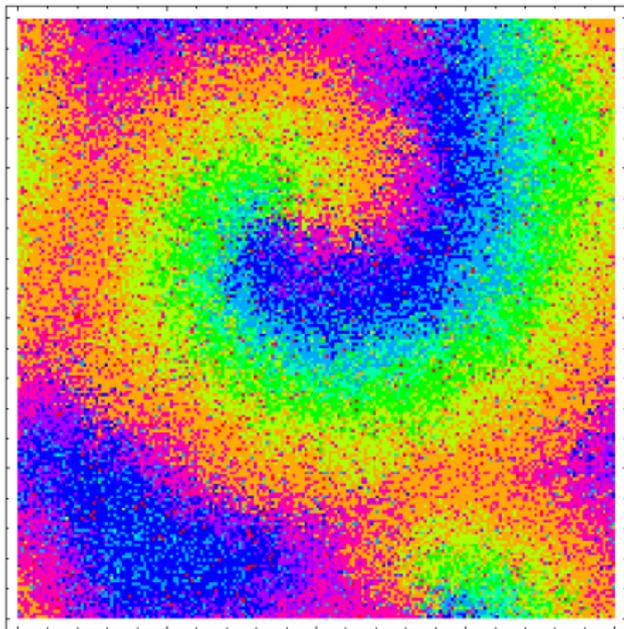


 *Possible Catalysts*



 *Actual Catalysts*

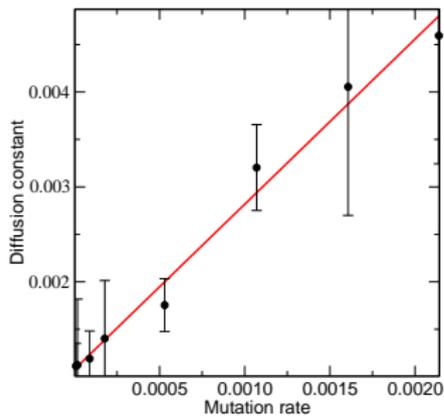
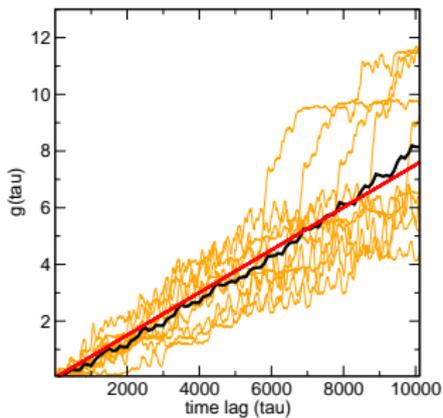
Rules of replication. For each of the neighbors (●) of the empty cell (marked by a bold outline) the replication rate  $\rho_z$  is computed taking into account their neighbors in the direction of the replication (○) as potential catalysts. The neighbor with the largest values of  $\rho_z$  invades the empty position. In this example, for the chosen replicator, only three of its neighbours are catalysts according to the hypercycle topology.



Spirals formed after 3000 generations in an evolution experiment started with 300 random sequences in the absence of parasites.

see also [Borlijst & Hogeweg \(1993\)](#)

# Diffusion in Sequence Space



## Summary

- ▶ Neutrality of the Sequence-Structure Map implies **diffusion**/**drift**-like motion in sequence **independent** of details of the selection/mutation mechanisms and whether spatial extension is taken into account or not.
- ▶  $\implies$  The basic assumption of molecular phylogenetics, namely a dominating influence of drift in **sequence** evolution, holds true even when **phenotypic** evolution is dominated by interactions (co-evolution).
- ▶ **TODO** Development of a rigorous mathematical theory describing the motion in sequence space of a population with strong interactions.

## Evolutionary histories of some structured RNAs

Ribosomal RNAs (rRNAs) are the most frequently used sequence data for reconstructing phylogenies from molecular data

How does that work:

In a nutshell:

(1) compute evolutionary distances from the sequence data

(2) “fit” an additive tree to the distances

(In reality, there are other methods such as maximum parsimony and maximum likelihood approaches, but the basic idea is the same)

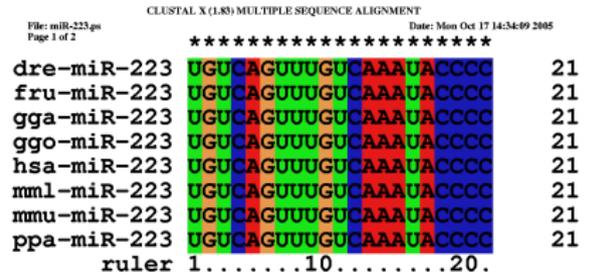
Observation: all tRNAs have more or less the same clover-leaf structure.

# MicroRNAs

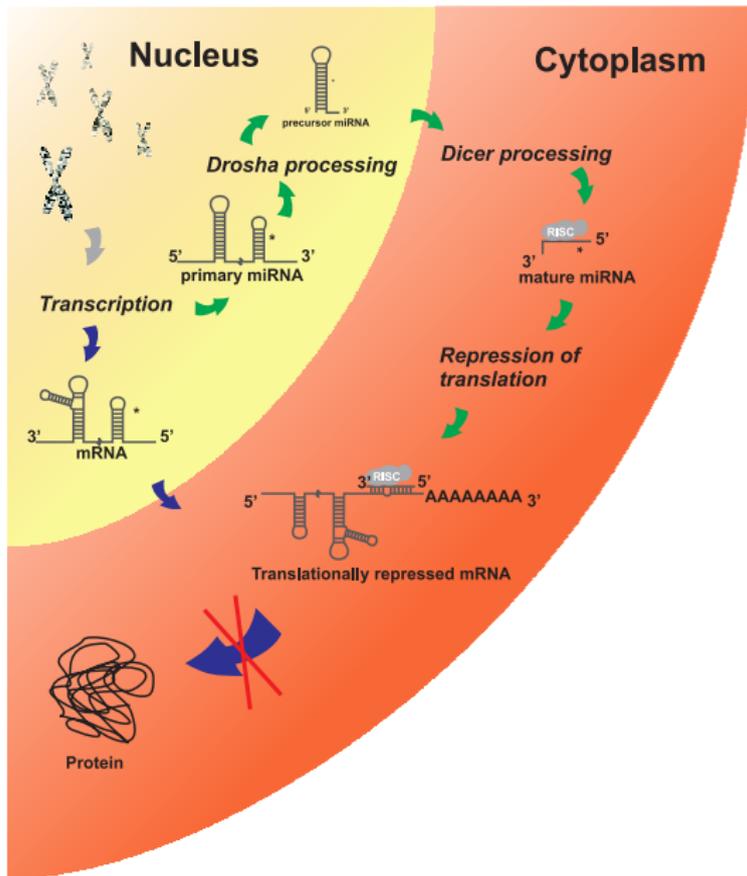
- ▶ processed from precursor hairpins
- ▶ short (~ 22nt) RNA molecules
- ▶ highly conserved

## Function

- ▶ bind to 3'UTRs of mRNA targets
  - ▶ suppress expression of this mRNA
  - ▶ mark mRNA molecule for degradation
  - ▶ in plants involved in DNA methylation



# MicroRNAs — processing and function

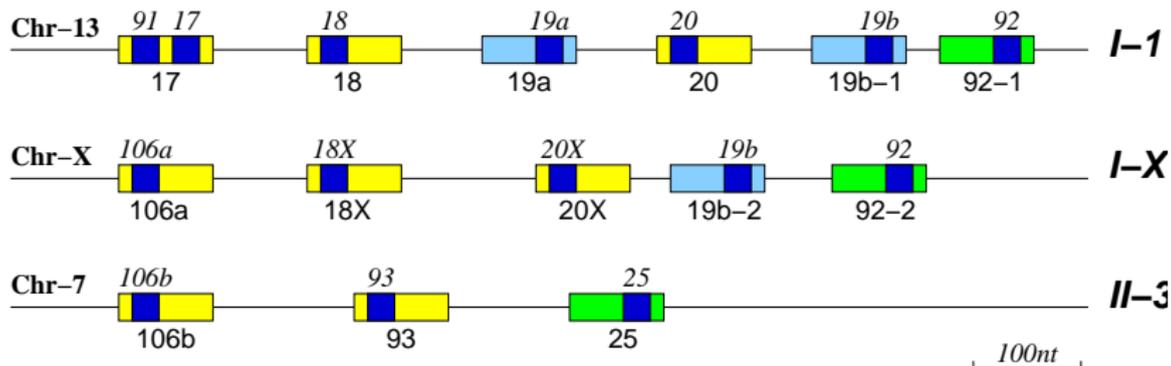


## MicroRNAs ...

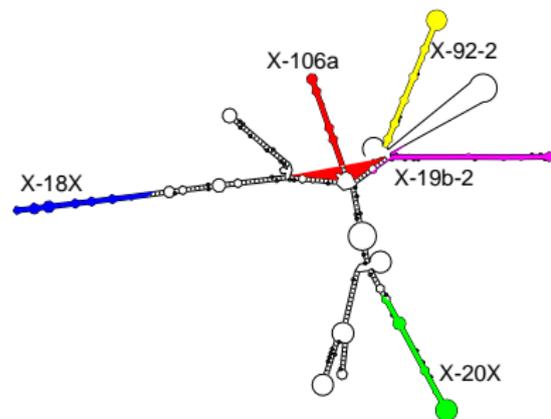
- ▶ transcribed in longer transcripts (*primary-miRNA*)
- ▶ in some cases: *polycistronic* “clusters”
- ▶ Drosha processing → *precursor miRNA*
- ▶ export to cytoplasm *Exportin-5* pathway
- ▶ Dicer processing → *mature miRNA*

# Evolution of microRNA Families: **mir-17** clusters

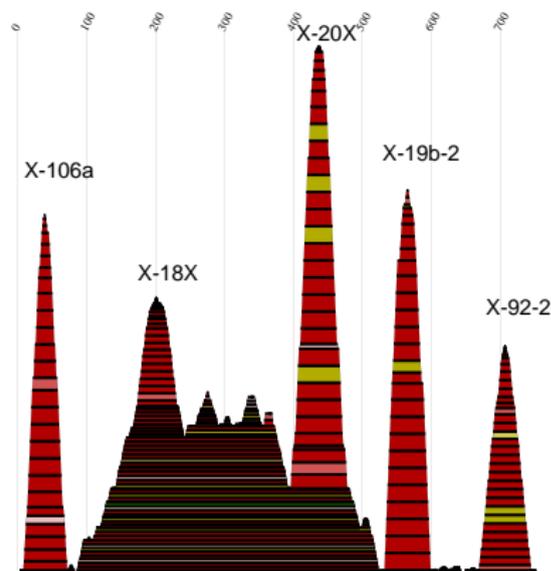
Many miRNAs are transcribed from polycistronic transcripts  
Most spectacular example: Human **mir-17** clusters



## Case Study: **mir-17** clusters



(a)

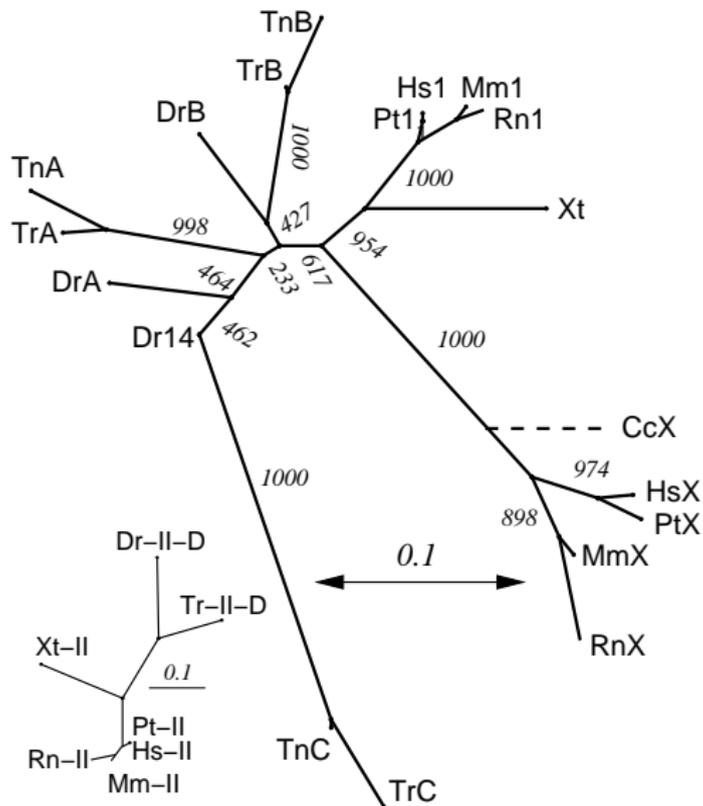


(b)

Structure of the pri-pre-mir-17 at the human X chromosome.

# Construction of Gene Trees

from concatenated sequences in the cluster



# Distant Homologies with unreliable Alignments

How to quantify sequence similarity when we cannot get a good alignment?

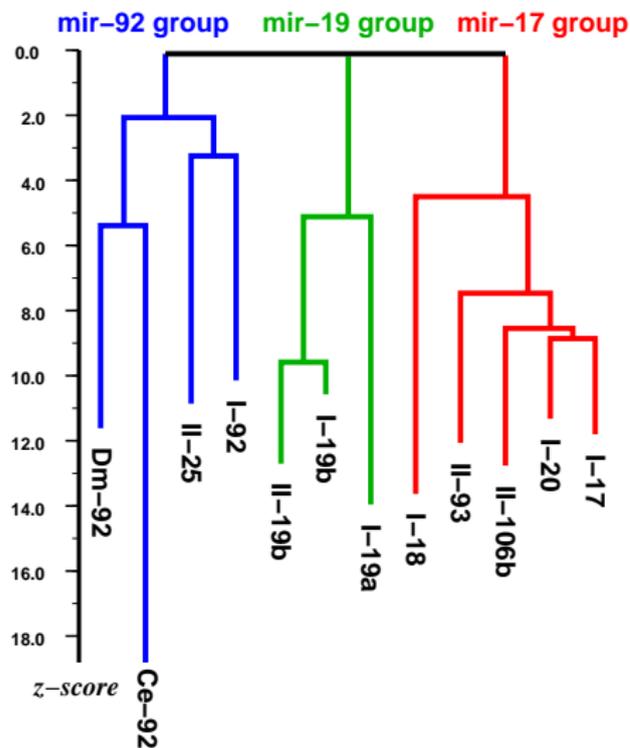
- ▶ measure pairwise sequence similarity  $s(x, y)$
- ▶ compare to the **distribution** of similarity values of alignments of shuffled sequences
- ▶ define a **z-score**

$$z(x, y) = \frac{s(m, y) - \langle s(\pi(x), \pi'(y)) \rangle_{\pi, \pi'}}{\sqrt{\text{var}_{\pi, \pi'}(s(\pi(x), \pi'(y)))}}$$

- ▶ use  $z(x, y)$  as similarity measure in WPGMA clustering



# Collapsed tree of microRNA subgroups

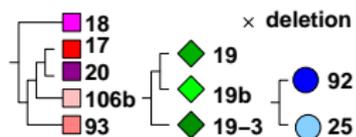


- ▶ obtained by collapsing vertebrate, insect, and nematode species trees to single vertices
- ▶ next step: combine gene trees and synteny information to a duplication history

# Scenario for the evolution of the mir17 family

ancestral mir17 cluster probably contained

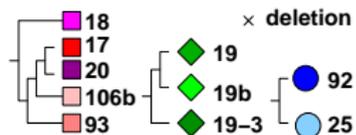
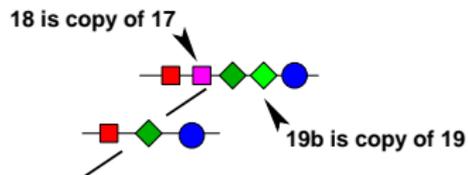
mir-17, mir-19 and mir-92



# Scenario for the evolution of the mir17 family

first detectable duplication event:

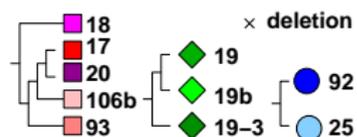
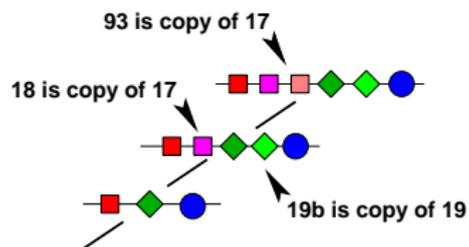
branch mir-17 and mir-18



# Scenario for the evolution of the mir17 family

series of duplications:

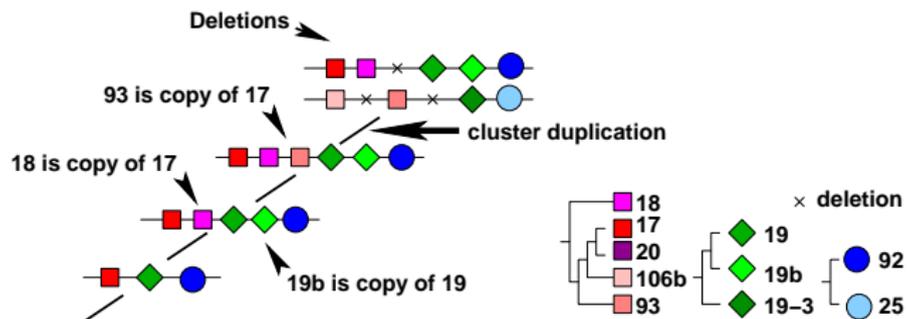
branch mir-19 and mir19b, mir-17 and mir-93



# Scenario for the evolution of the mir17 family

genome wide duplication:

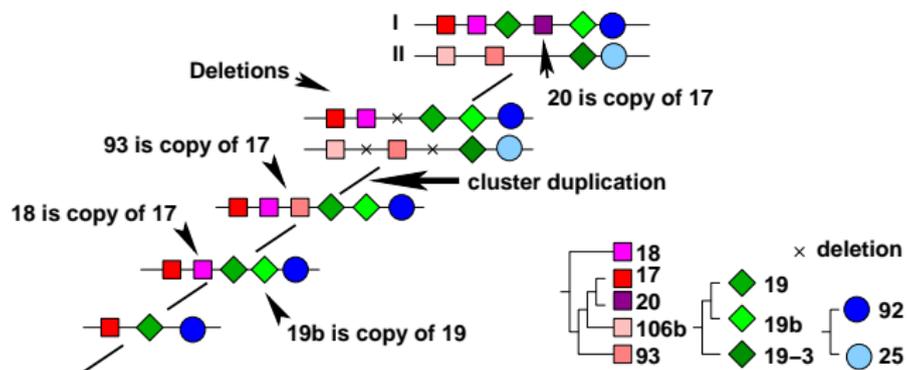
duplication of whole cluster and loss of individual miRNAs



# Scenario for the evolution of the mir17 family

independent miRNA duplications

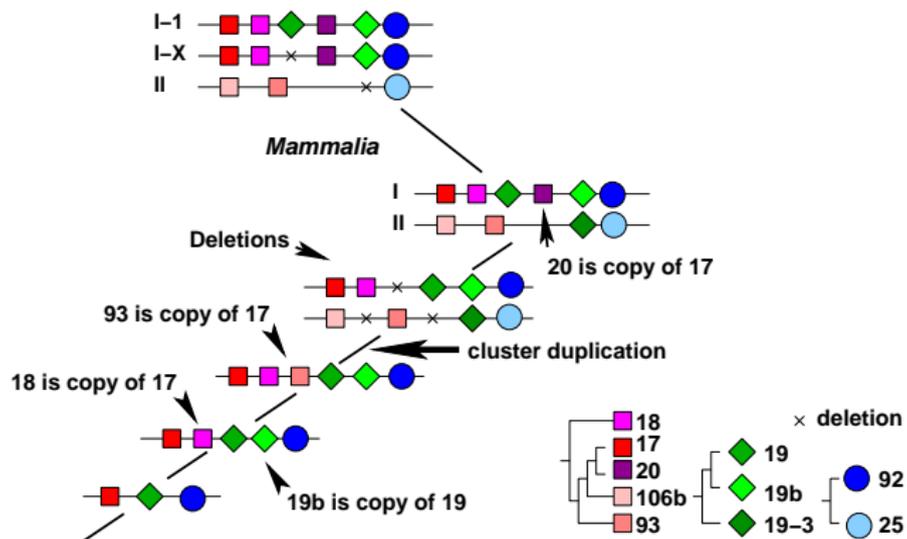
in type I cluster



# Scenario for the evolution of the mir17 family

split of teleosts and mammalia

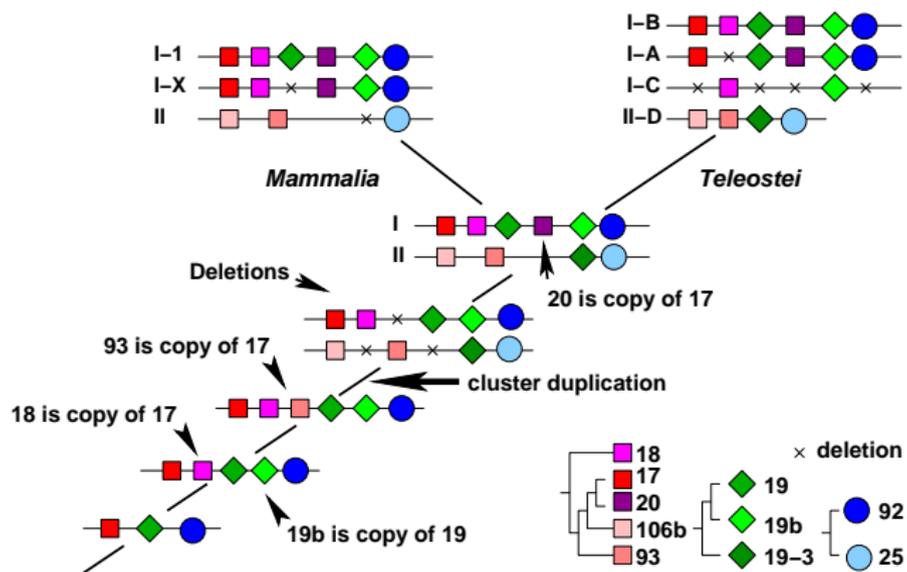
teleost specific genome duplication



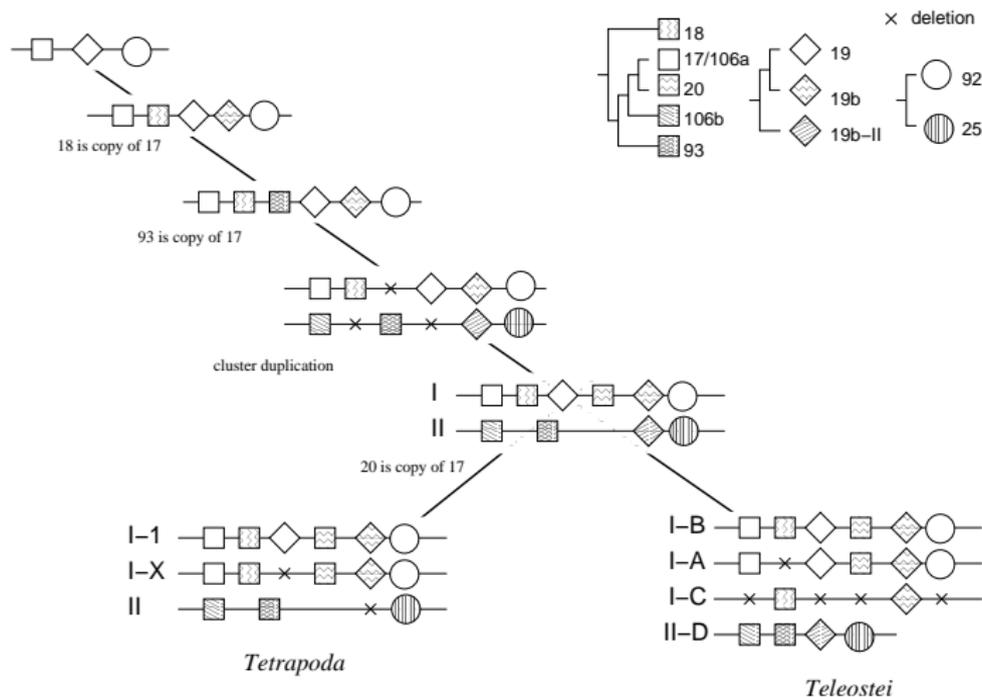
# Scenario for the evolution of the mir17 family

split of teleosts and mammalia

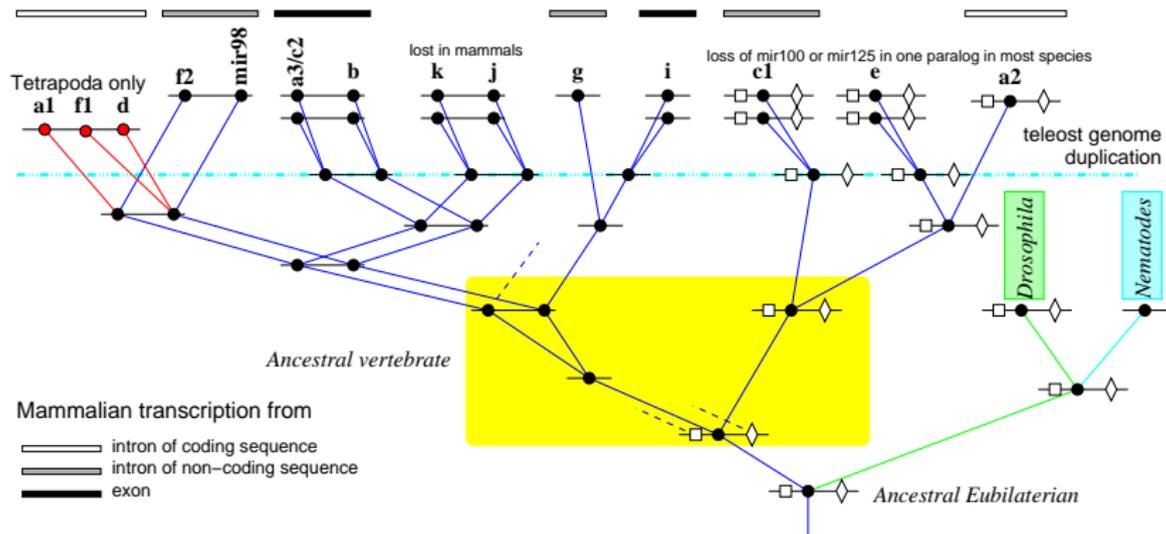
teleost specific genome duplication



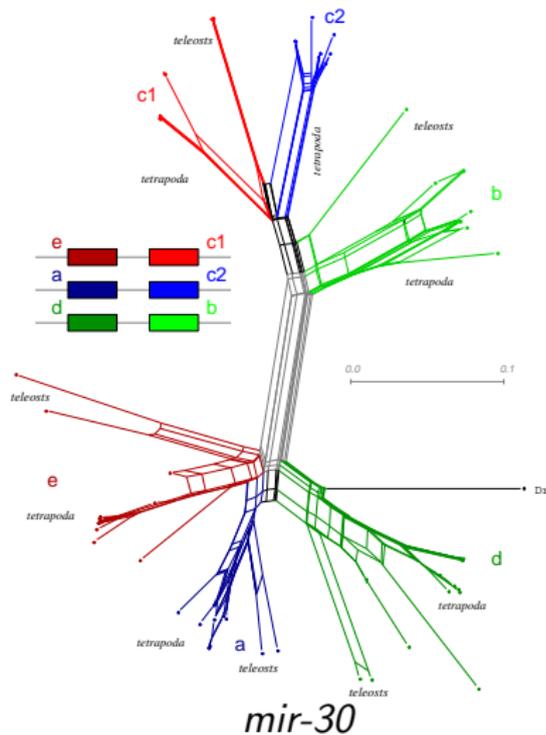
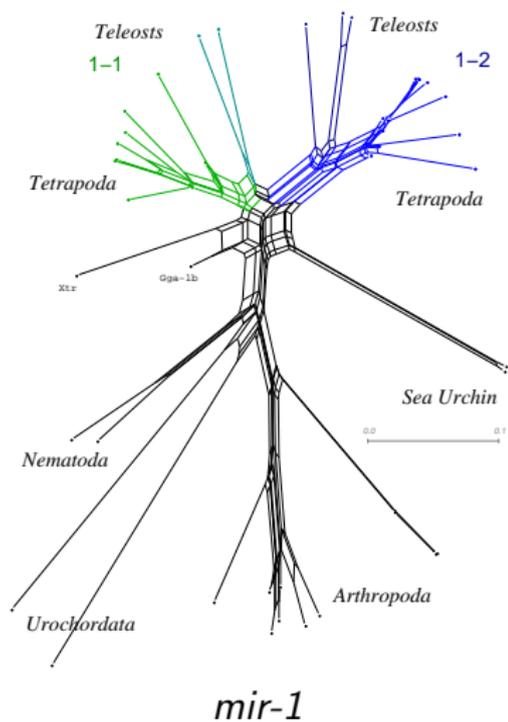
# History of the **mir-17** cluster: updated data



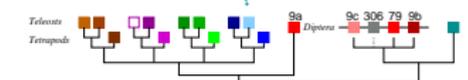
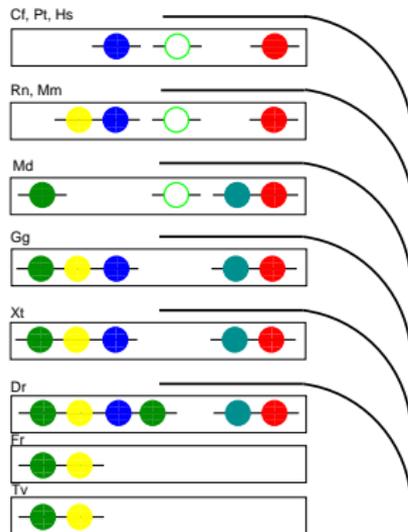
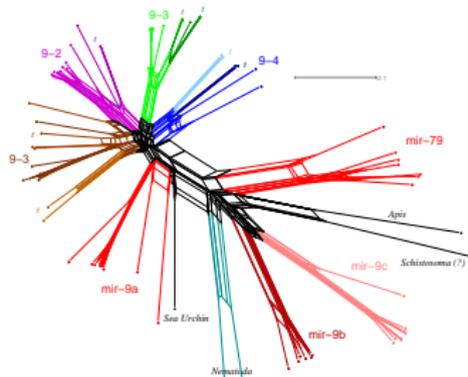
# Further Examples: *let-7* family



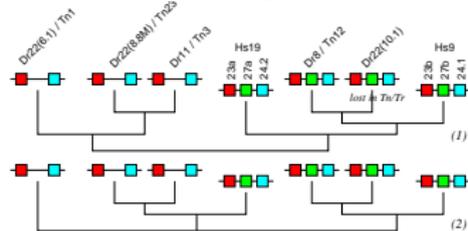
## Further Examples: *mir-1* and *mir-30*



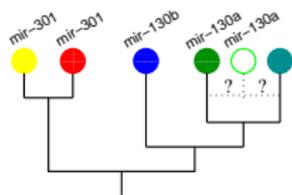
# Further Examples: *mir-9*, *mir-23*, *mir130/301*



*mir-9*

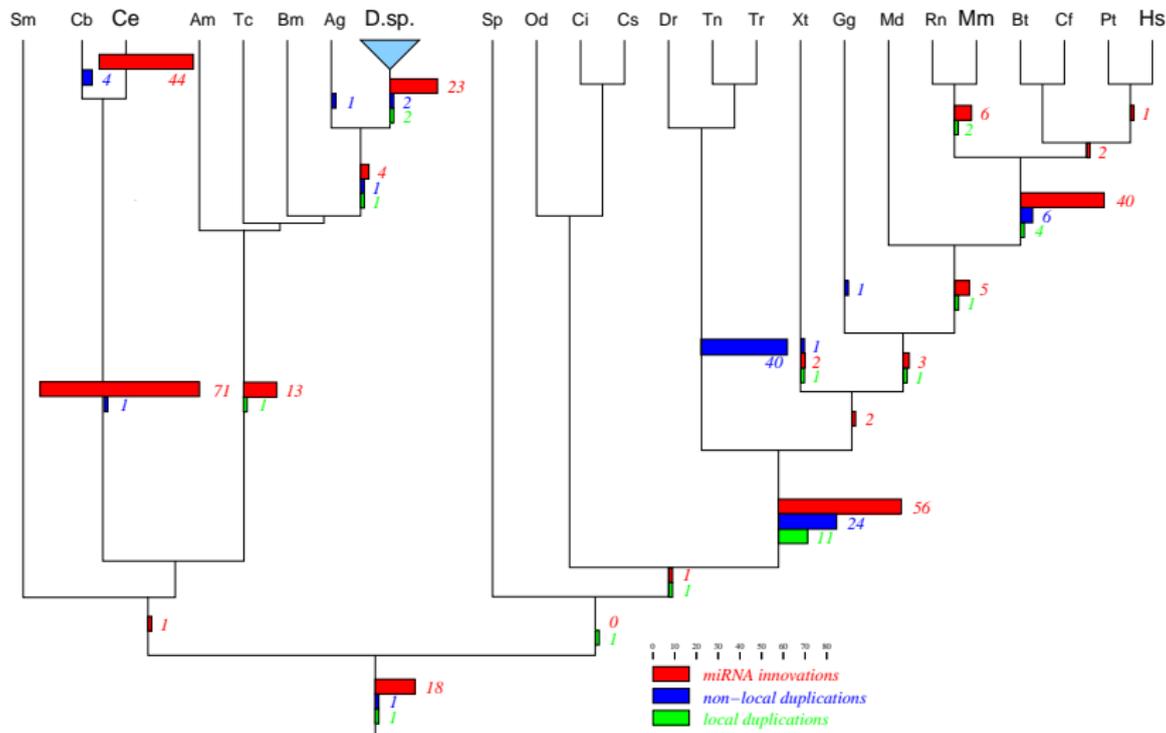


**mir-23 cluster**



**mir-130 cluster**

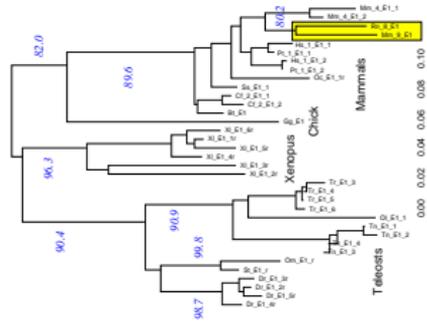
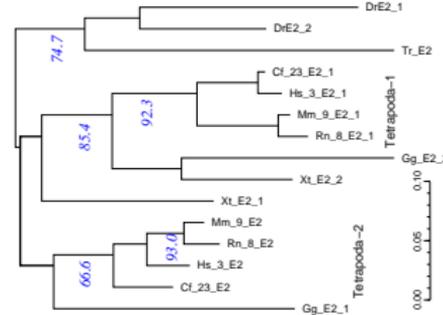
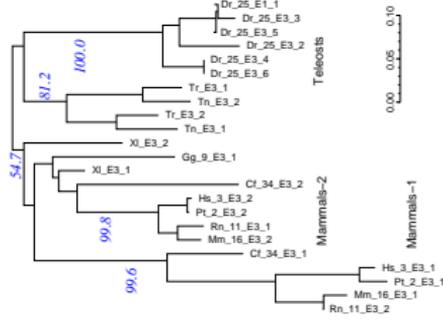
# Expansion of the Metazoan MicroRNA Repertoire



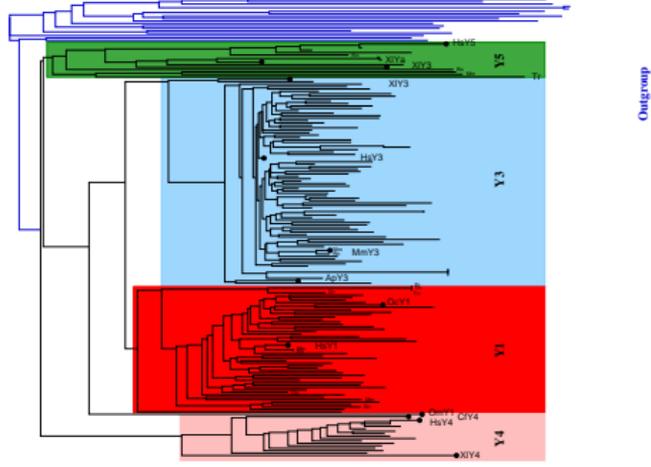
## Similar Situation: snoRNA

- ▶ snoRNAs direct chemical modification of other RNAs (mostly rRNA, snRNA, and (some?) messenger RNAs)
- ▶ two classes: box-H/ACA and box-C/D
- ▶ known in eukaryotes and archea, not in eubacteria

# H/ACA box snoRNAs in Vertebrates



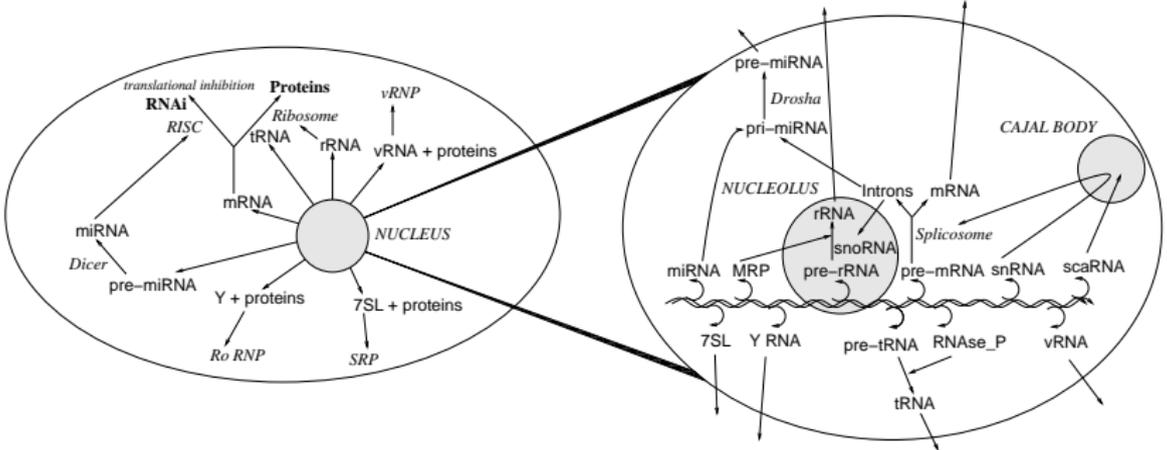
# Vertebrate Y RNAs



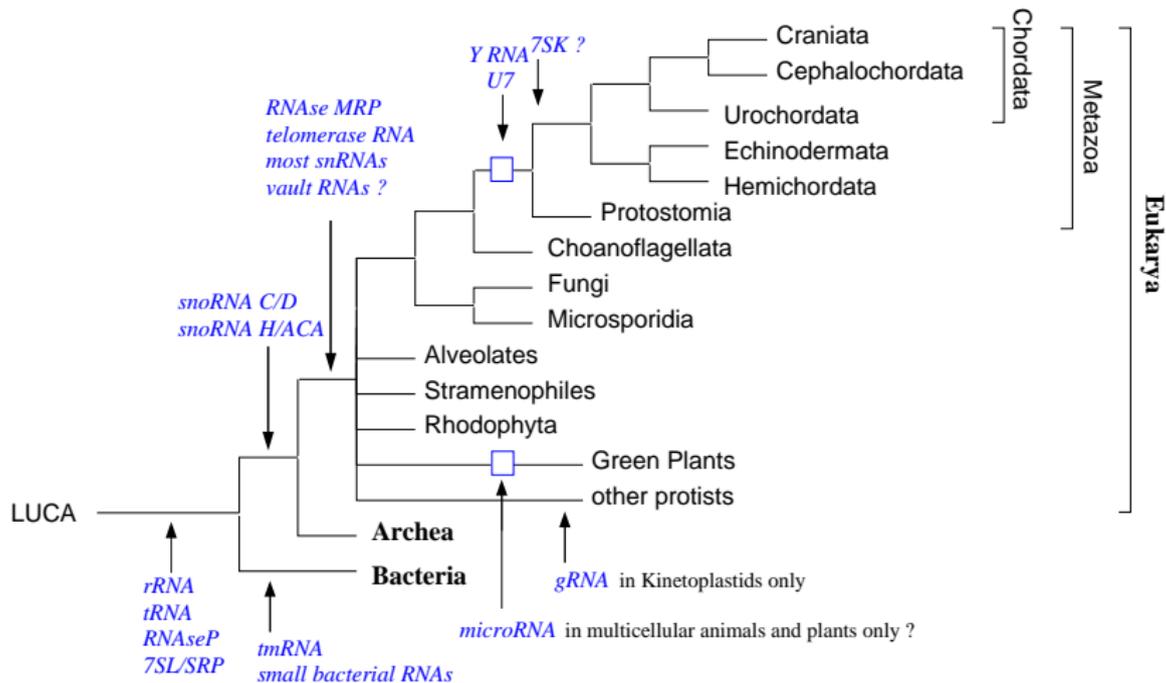
## Summary

- ▶ The genotype-phenotype map of RNA is characterized by an interplay of “ruggedness” and neutrality
- ▶ Selection plus drift results in diffusion on neutral networks
- ▶ Many non-coding RNAs have highly constrained (i.e., evolutionarily very well conserved) structures but fairly rapidly evolving sequences
- ▶ Drift of sequences is independent of the details of the selection mechanism
- ▶ Ongoing research: elucidate the evolutionary histories of structured ncRNAs

# PART III: The Modern RNA World



# Multiple Origins of ncRNAs



## Surveys for noncoding RNAs

- ▶  $> 5\%$  of the human genome is under stabilizing selection (from man/mouse comparison), less than  $1/3$  of this codes for protein
- ▶ Virtually the entire genome is transcribed as primary nuclear transcripts in at least one direction (ENCODE Genes&Transcripts group, unpublished data)
- ▶  $\sim 80\%$  of the ENCODE regions are transcribed in as parts of protein coding transcripts **including** introns and UTRs
- ▶ Only a tiny part of the primary transcripts is protein coding
- ▶ Large fraction of apparently non-protein-coding cDNAs
- ▶ **The functions of most of these transcripts are unclear.**

*“There is need for reliable experimental and computational methods for comprehensive identification of non-coding RNAs.”*

# The ENCODE Project



## ENCyclopedia Of DNA Elements

- ▶ Public research consortium launched by NHGRI in 2003
- ▶ Purpose: “testing and comparing existing methods to rigorously analyze a defined portion of the human genome sequence” .
- ▶ Focus: specified 30 megabases ( 1% of genome) in more than 20 species
- ▶ Informally organized in subgroups: Sequencing Technology, Comparative Genomics, Genes and Transcripts, Genetic Variation, ...
- ▶ Results from 1st phase currently under review
- ▶ Phase 2: scale-up to complete genome

# Highlights from ENCODE Genes and Transcripts Analysis Group

(Data presented by Tom Gingeras in Bethesda, Jan 12 2006)

- ▶ Only a fraction of **processed** RNA transcripts correspond to GeneCode annotated transcripts:
  - 70% correlated with annotated (m)RNAs
  - 52% correlate with annotated protein coding sequences
- ▶ **Substantial fraction of transcription is specific of cellular conditions**
  - only 2.6% of transfrags are common to all 11 cell-lines.
- ▶ The same genomic sequence may be processed into multiple RNA sequences with different fates
- ▶ **Virtually the entire genome is transcribed as primary nuclear transcript in at least one direction.**

*Transcriptional output is MUCH more extensive AND much more complex than previously thought.*

## Recall: Sequence-Structure Map of RNA

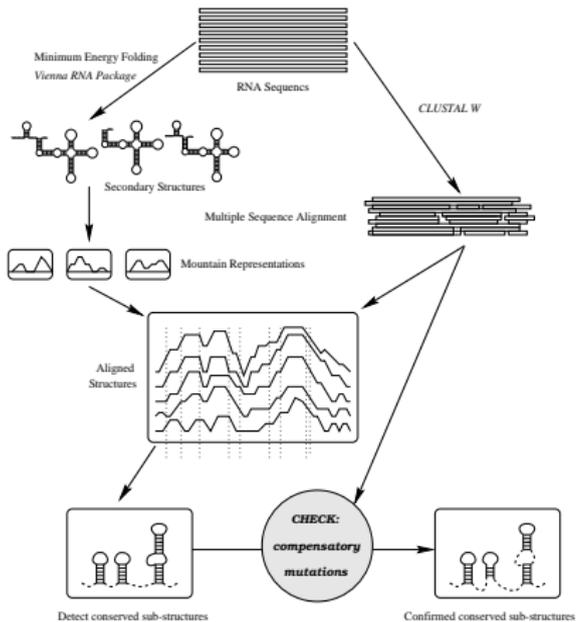
1. *Redundancy*: Many more sequences than structures
2. *Sensitivity*: Small changes in the sequences may lead to large changes in the structure
3. *Neutrality*: A substantial fraction of mutations does not alter the structure.
4. *Isotropy*:  $S(\psi)$  is “randomly” embedded in  $C(\psi)$ .

### Implications:

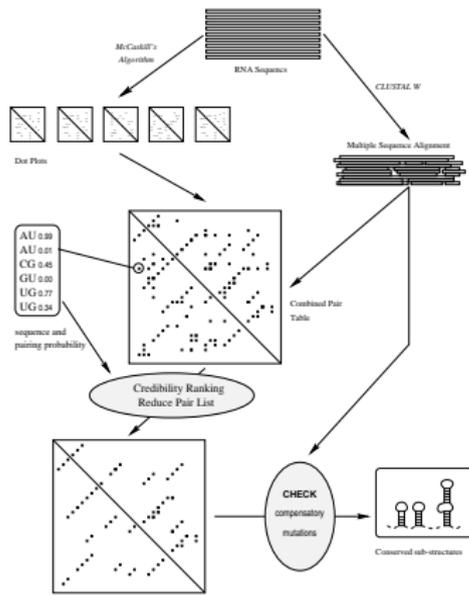
1. *Neutral Networks*:  $S(\psi)$  forms a connected “percolating” network in sequence space for all “common” structures.
2. *Shape Space Covering*: Almost all structures can be found in a relatively small neighborhood of almost every sequence.
3. *Mutual Accessibility*: The neutral networks of any two structures almost touch each other somewhere in sequence space.

Proc. Roy. Soc. B **255** 279-284 (1994), Proc. Natl. Acad. Sci. USA **93**, 397-401 (1996),

Bull. Math. Biol. **59**, 339-397 (1997), RNA **7**: 254-265 (2000).



## Minimum Energy



## Base Pairing Probabilities

Nucl. Acids Res. 26: 3825-3836 (1998), Comp. & Chem. 23: 401-414 (1999)



# Examples: Picornaviridae: Cis-acting-Replication Element (CRE)

The function of the CRE probably involves the initiation of the synthesis of the negative-sense strand template RNA during virus replication.



Aphthovirus region:2C    Enterovirus 2C    Cardiovirus 1B    HRV-A 2A    HRV-B 1B    Teschov. 2C    Hepatov. 2C

Aphtho	~~~~CGAC-GGUU-----ACA-CCAAGCA-----GACCGUCG~~~~
Entero	CAUACAGU-UCAA <b>G</b> -----UCCA <b>AAU</b> -GCC <b>GU</b> AUUGAACCGUGUAUG
Cardio	~~~~ACG-GCCA-----CAAACA <b>CCCAA</b> UCAA <b>CU</b> GU-UGGCGGU~~~~
HRV-A	~~~AUCAUAUACCGAA <b>C</b> AAA <b>CA</b> -----CUAUA <b>GGUGA</b> UGAU~~~~
HRV-B	GAAGUCAU-CGUUGAGAAA <b>ACG</b> -----AA <b>ACA</b> -----GACGGUGGCCUC~
Teschov	~~~~AC-GGCU-----ACAAA <b>CA</b> -----ACA-----AGCUGU~~~~
Hepatov	UUUUGCAU-UUUG-----CAA <b>A</b> -----UU <b>CAAGA</b> UGUAGAG~
	~((( ((( ( ((( ( ..... ))))))) ))))~~~~
	1.....10.....20.....30.....40.....

predicted in *Nucl. Acids Res.* **29** 5079-5089 (2001),

experimentally detected by Gerber, Wimmer Paul *J.Virol.* **75** 10979-10990 (2001).

# A Method for Large Genomes: RNAz

## \* Two ingredients: Thermodynamic Stability & Structure Conservation

Measuring thermodynamic stability of ncRNAs

- ▶ Naturally occurring structured RNAs have a lower folding energy compared to random sequences of the same size and base composition?
  1. Calculate native MFE  $m$ .
  2. Calculate mean  $\mu$  and standard deviation  $\sigma$  of MFEs of a large number of shuffled random sequences.
  3. Express significance in standard deviations from the mean as z-score

$$z = \frac{m - \mu}{\sigma}$$

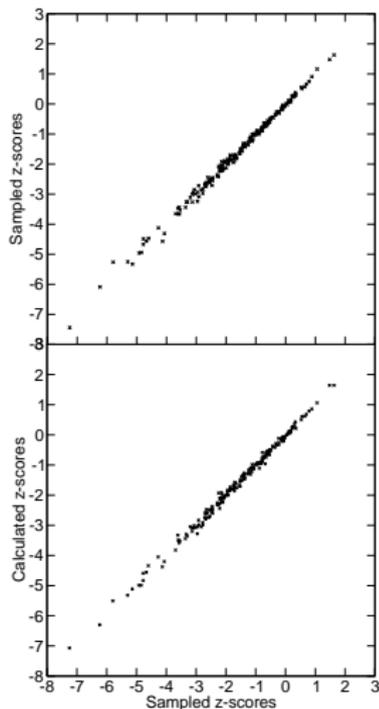
- ▶ Negative z-scores indicate that the native RNA is more stable than the random RNAs.

## Efficient calculation of stability z-scores

- ▶ The mean  $\mu$  and standard deviation  $\sigma$  of random samples of a given sequence are functions of the length and the base composition:

$$\mu, \sigma(\text{length}, \frac{GC}{AT}, \frac{G}{C}, \frac{A}{T})$$

- ▶ **Calculating** z-scores is thus a 5 dimensional regression problem.
- ▶ The regression problem is solved using a Support Vector Machine regression algorithm.
- ▶ The SVM was trained on 10,000 synthetic sequences spaced evenly in the variable space.
- ▶ The regression calculation is of the same accuracy as the sampling procedure.



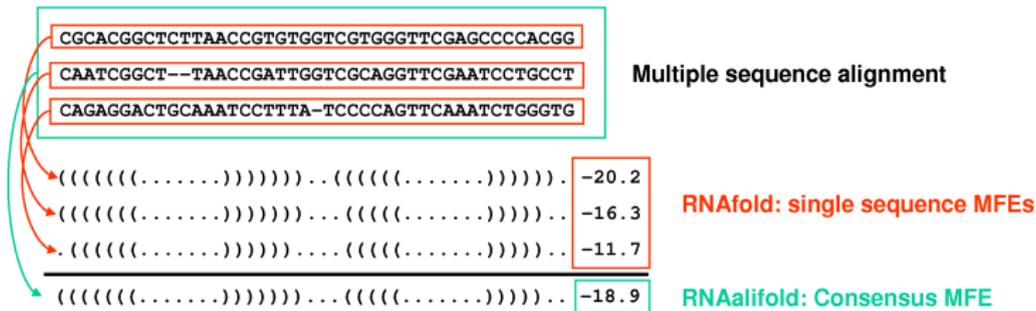
## z-scores of known ncRNAs

ncRNA Type	No. of Seqs.	Mean z-score
tRNA	579	-1.84
5S rRNA	606	-1.62
Hammerhead ribozyme III	251	-3.08
Group II catalytic intron	116	-3.88
SRP RNA	73	-3.37
U5 spliceosomal RNA	199	-2.73

- ▶ Functional RNAs are clearly more stable than random sequences.
- ▶ **However: The scores are too small to discriminate reliably in a genome-wide screens** since the z-score distributions have heavy tails.



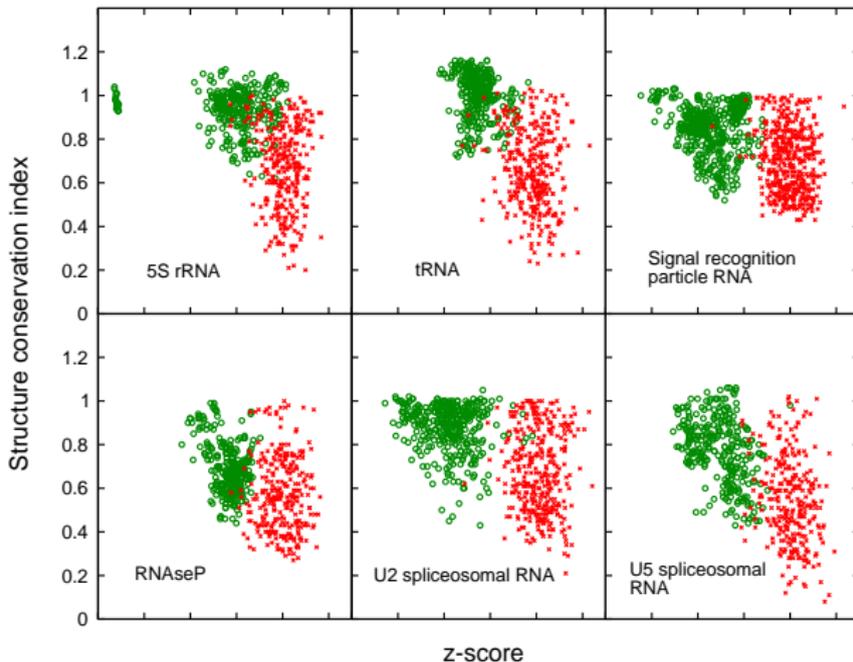
# The structure conservation index



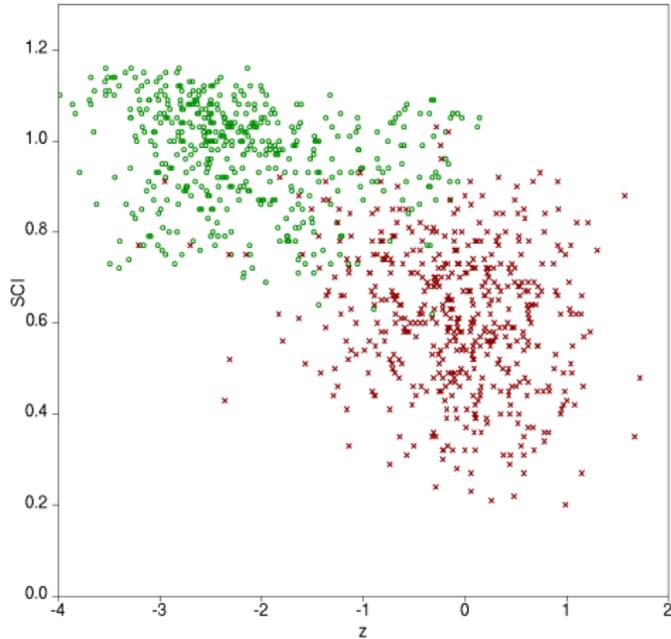
$$\text{SCI} = \frac{\text{Consensus MFE}}{\text{Mean single MFEs}}$$

- ▶ The SCI is an efficient and convenient measure for secondary structure conservation.

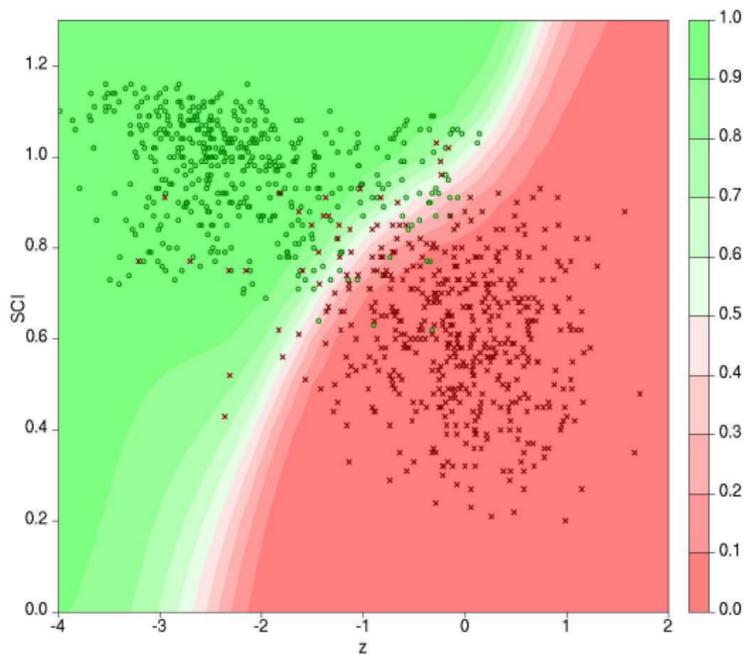
# Separation of native ncRNAs from random controls in two dimensions



## Classification based on both scores



## Classification based on both scores



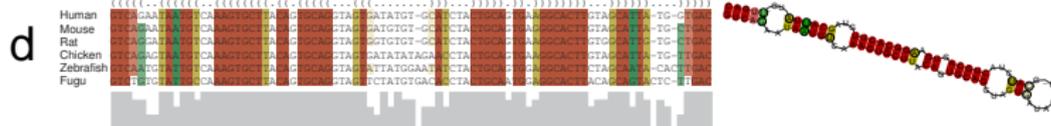
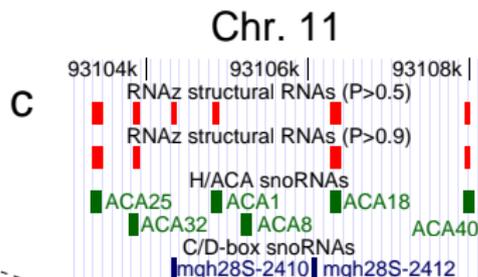
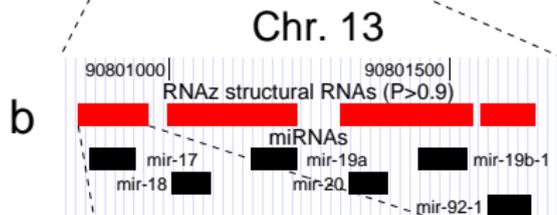
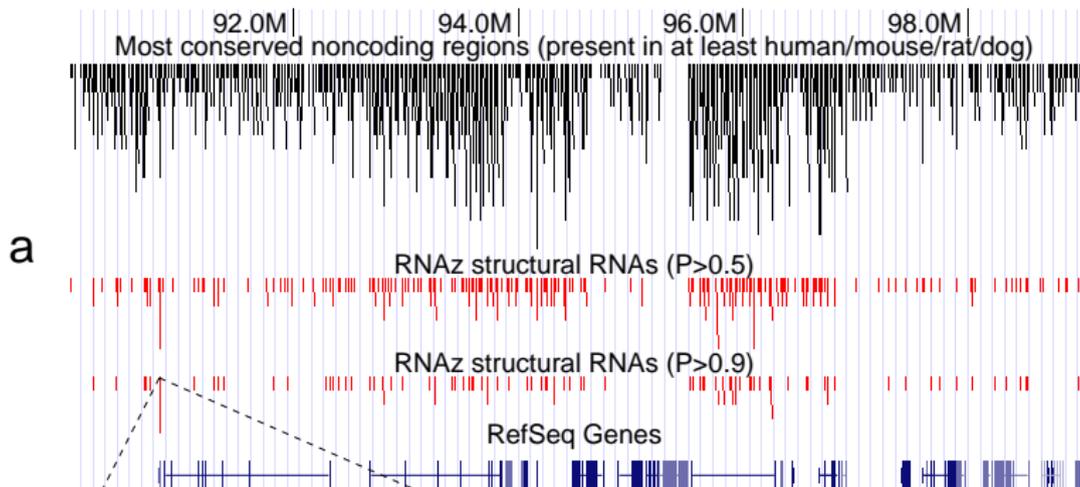
## Implementation and availability

- ▶ The approach is implemented in ANSI C in the program RNAz.
- ▶ The z-score regression is limited to 400 nucleotides.
- ▶ The classification model is currently limited to alignments of six sequences.
- ▶ At least an order of magnitude faster than other programs.
- ▶ RNAz is freely available:  
Download from [www.tbi.univie.ac.at/~wash/RNAz](http://www.tbi.univie.ac.at/~wash/RNAz)

## Screening the human genome

- ▶ Large scale comparative screen including:
  - ▶ human, mouse, rat, dog
  - ▶ chicken
  - ▶ fugu, zebrafish
- ▶ Reduction of the  $\approx 3.095$  MB human genome:
  - ▶ Take  $\approx 5\%$  of the best conserved regions
  - ▶ Remove all annotated coding exons
  - ▶ Only take alignments strictly conserved in all 4 mammals.
- ▶  $\rightarrow$  438,788 alignments covering 82.64 MB

# Chr. 13

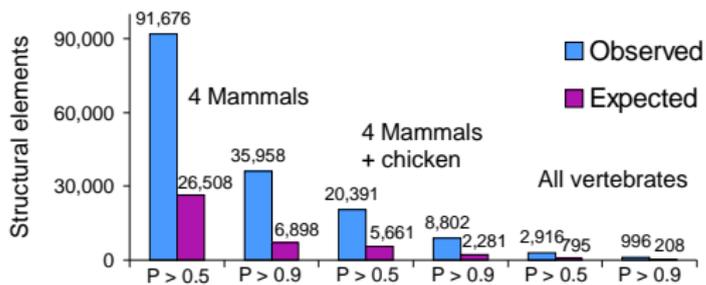
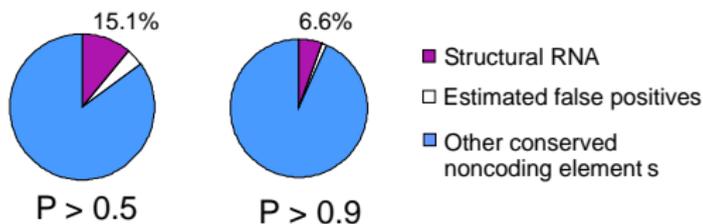


# Results of Human Genome Screen

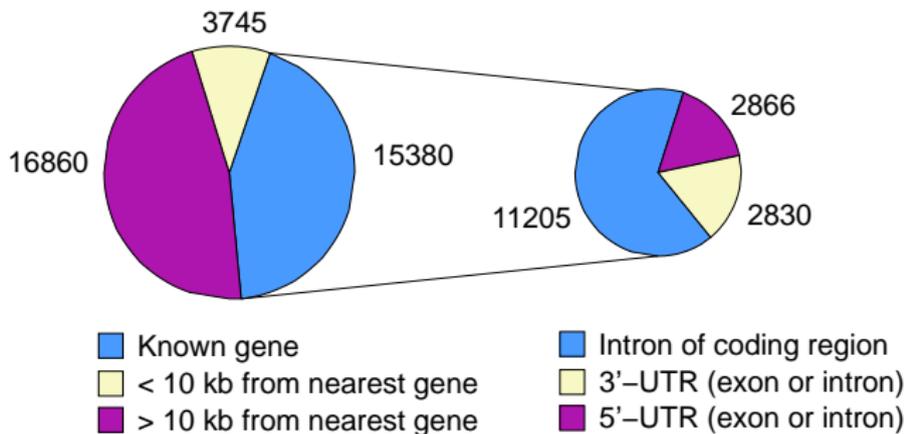
	Genome Coverage		Alignments Number	RNAz hits $p > 0.9$		
	Size (MB)	Fraction (%)		Size (MB)	Fraction of input (%)	Number
Human genome	3,095.02	100.00	-			
PhastCons most conserved	137.85	4.81	1,601,903			
without coding regions	110.04	3.84	1,291,385			
without alignments $< 50nt$	103.83	3.33	564,455			
Set 1: 4 Mammals	82.64	2.88	438,788	5.46	6.62	35,985
Set 2: + Chicken	24.00	0.85	104,266	1.34	5.50	8,802
Set 3: + Fugu or zebrafish	6.86	0.24	30,896	0.14	2.03	996

Nature Biotechn. 23: 1383-1390 (2005)

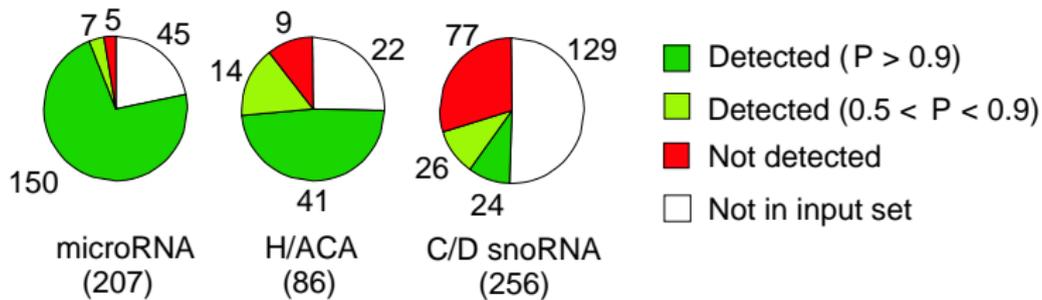
# Pictures instead of Numbers



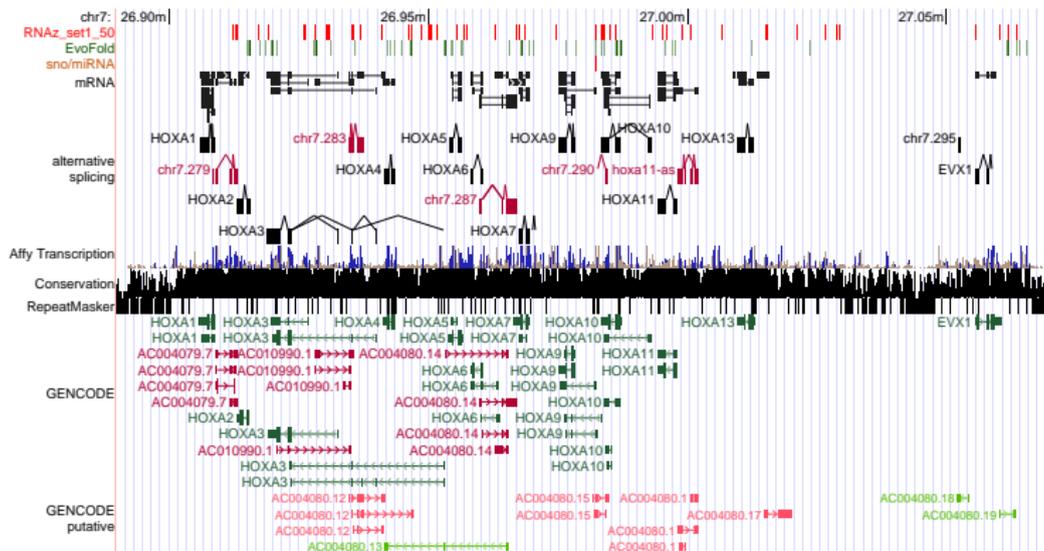
## Distribution related to known protein gene annotation



## Sensitivity on known classes of ncRNAs



# Not all ncRNAs have conserved secondary structures!

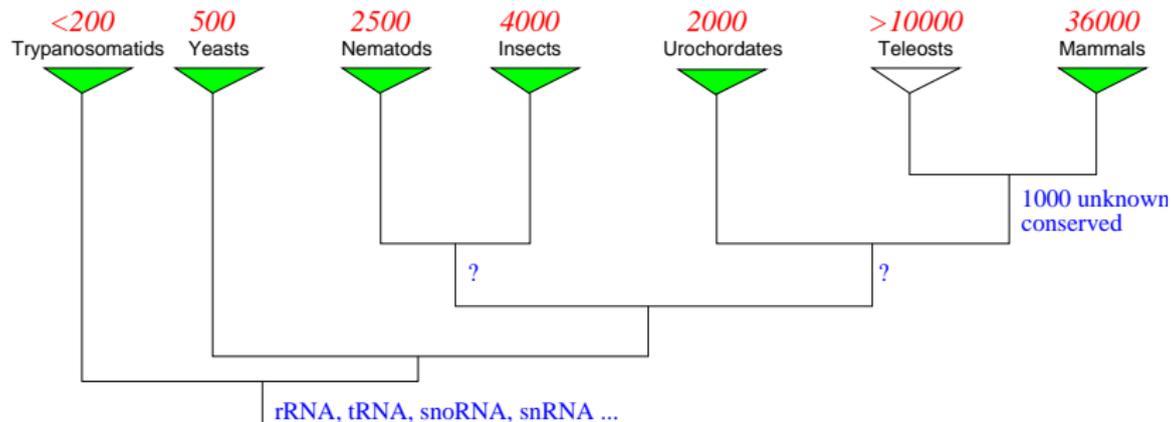


## Other RNAz Screens

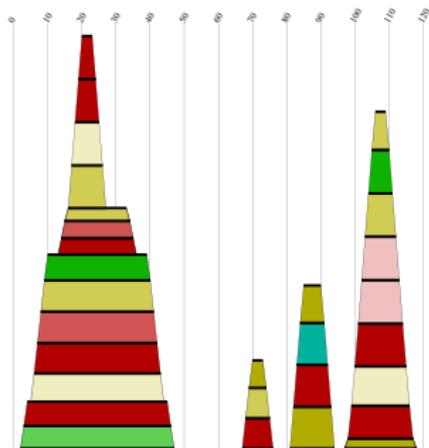
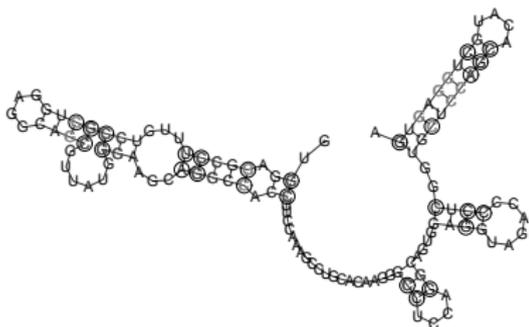
- ▶ Urochordates: *Ciona intestinalis* & *Ciona savignyi*  
*only a few conserved RNA with Oikopleura dioica*  
*Bioinformatics* 21(S2): i77-i78
- ▶ Nematodes: *Caenorhabditis elegans* & *Caenorhabditis briggsae*  
JEZ:MDE 2006 epub
- ▶ Teleost fishes: *Danio rerio*, *Takifugu rubripes*, *Tetraodon nigroviridis*, *Oryzias latipes* (partial)  
(in progress)
- ▶ Trypanosomatids: Trypanosoma and Leishmania species
- ▶ Yeasts. (joint work with Kay Nieselt and Stephan Steigle)

# Summary

Predicted structured RNAs (RNAz predictions,  $p > 0.9$ )



# Novel Human ncRNA Candidates



```

hg17      .(((.....((((.....)))).....)))))).....(((.....)))).....((((.....))))))
carFam1  GTCAGCCCTTTCCTGTGTGTGGGAGCCCTTTGGAGAGCCGCAAAATTCAGAGCTTCACACATCCCTGGACAGCTGATAGACCCTGGCTTCCCTACACATGTGGGAGAA
neo3     GTCAGCCCTCAACCCGAGAGGAGAGCCCTATGGAGAGCCGCAAAATTCAGAGCTTATACAGAGGCTCCAGAGTGTGCAATAGACCCTGGCTTCCCTACACATGTGGGAGAA
rns3     GTCAGCCCTTGCACCCAGCCGAGAGGATTTTGGAGAGCCGCAAAATTCCTCAGCTTACACAGAGGCTCCAGAGAGTGGAGGCTGATCCCTCCCTCCACACATGTGGGAGAA
galGal2  GTATCTCCCTTGCCTCAAGAGAGCCCTTTTGGAGAGCCGCAAAATTCAGAGCTTCAGACAGAGGCTCCAGAGAGTGGAGAGCTGATCCCTCCCTCCACACATGTGGGAGAA
darPer1  CTCCTGGTGGTGAATGAGCCAGAGAGAGCCGAGAGCCGCAAAATTCAGAGCTTCAGACAGAGGCTCCAGAGTGGAGAGCTGATCCCTCCCTCCACACATGTGGGAGAA

```

# Novel ncRNA Candidates in *Caenorhabditis*



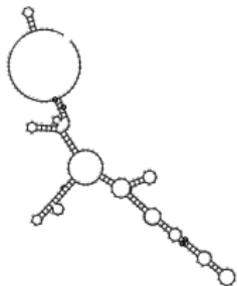
CeN23 (UM1)  
unknown



CeN74 (UM3)  
sb-RNA



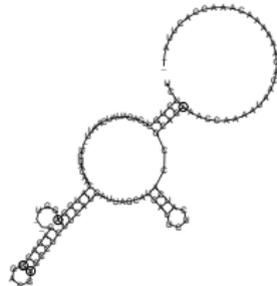
CeN77 (UM3)  
sb-RNA



513253  
(UM2)



515948  
(UM3)



513590  
(UM1)

# Efforts to Annotate the RNAz Results

## ongoing effort

- ▶ Large number of microRNA candidates
- ▶ approximately 30-40 good H/ACA-box snoRNAs
- ▶ only 6% of hits (comparable to estimated false positive rate) overlaps with predicted coding regions
- ▶ few clusters of signals with high sequence-similarity  
work in progress: structure-based clustering (joint work with Rolf Backofen's lab in Freiburg)

BOTTOM LINE: most signals still unclassified.

We need MUCH better methods to recognize members of known RNA classes

# RNAmicro: A classifier for microRNA Precursors

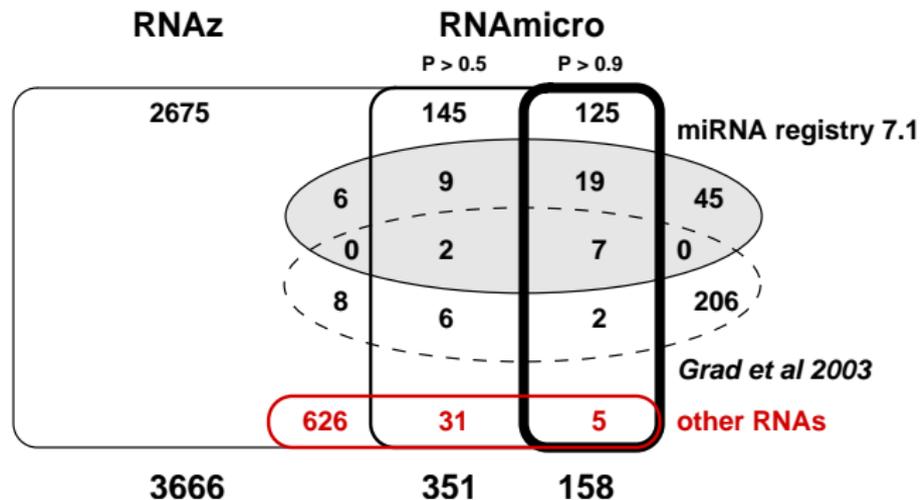
- ▶ Input: Multiple Sequence alignment
- ▶ Preprocessing: non-restrictive check for almost-hairpin structure

Some known microRNA precursors, notably some let-7 family members have small branches!

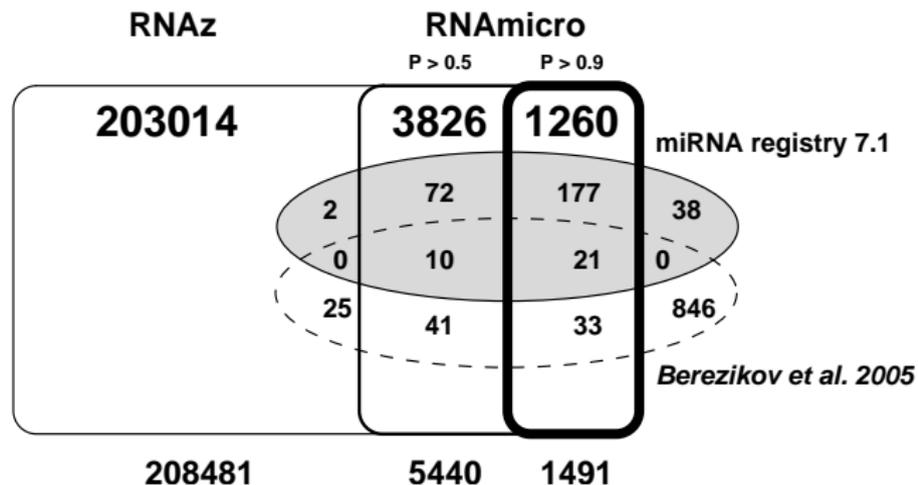
- ▶ SVM Classification with **few** descriptors:

Property	#	Descriptors
Structure	2	$l_s, l_h$
Sequence composition	1	G+C
Sequence conservation	4	$S_{5'}, S_{3'}, S_0, S_{\min}$
Thermodynamic stability	4	$\bar{E}, \bar{e}, \bar{\eta}, \bar{z}$
Structure conservation	1	$E_{\text{cons}}$

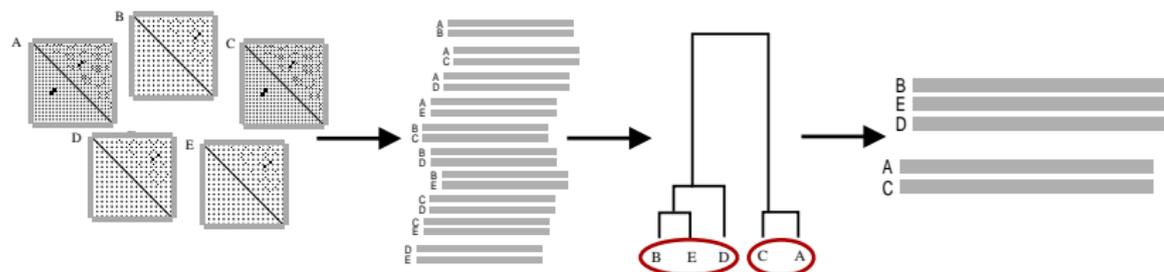
# Results: *Caenorhabditis*



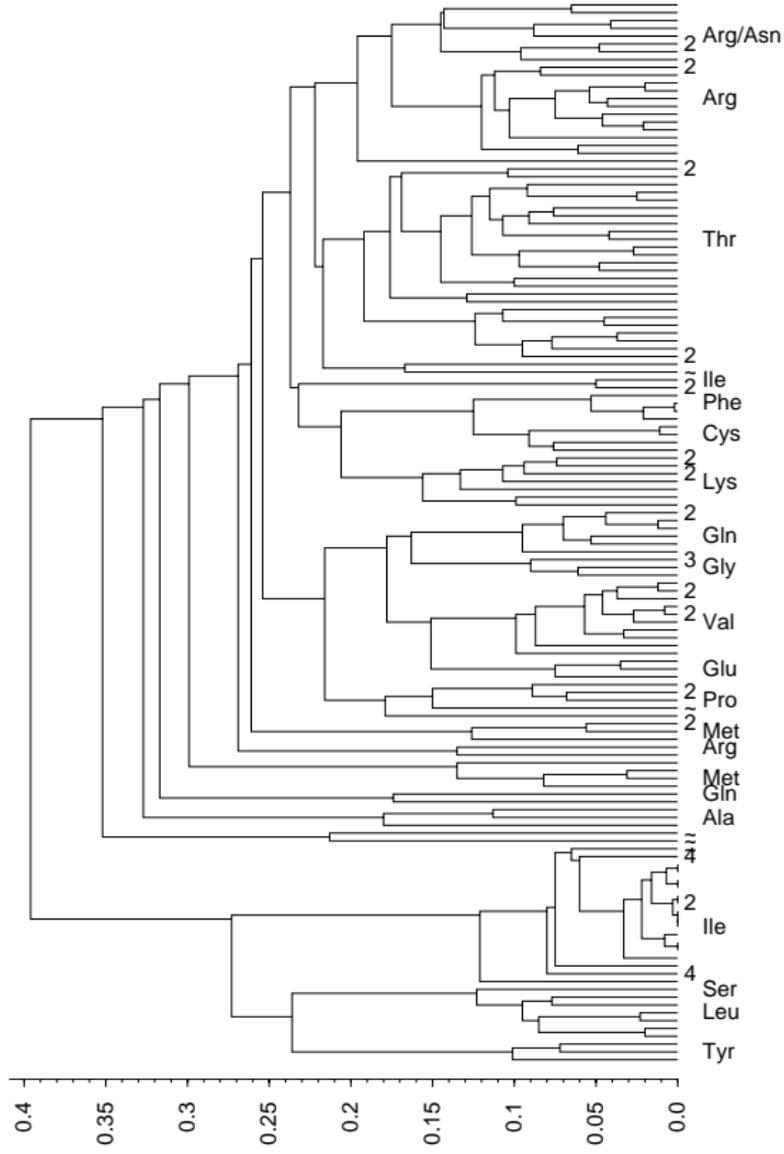
# Results: *Mammals*



# Clustering



# Proof of Concept: tRNAs in *Ciona intestinalis*



# Summary

- ▶ Some classes of ncRNAs, namely the structures ones, can be found efficiently by means of comparative genomics
- ▶ There are Tens of Thousands of structured RNAs of unknown function in the human genome
- ▶ Some of them probably act, like microRNA and snoRNAs by binding to other RNAs. These could be investigated using RNA cofolding approaches (ongoing research).
- ▶ *So far, we know only of the proverbial tip of the iceberg of the complexity of cellular regulation*
- ▶ & RNA bioinformatics is a really cool research topic ...

## Acknowledgments: It's not my fault . . .

- ▶ **Leipzig:** Kristin Missal, Dominic Rose, Jana Hertel, Manja Lindemeyer, Matthias Kruspe, Sonja J. Prohaska, Claudia Fried, Roman Stocsits, Axel Mosig Bettina Müller (FH Weihenstephan), Katrin Sameith (U Jena)
- ▶ **Vienna:** Stefan Washietl, Ivo L. Hofacker, Christoph Flamm, Andrea Tanzer, Stefan Bernhart  
Susanne Rauscher, Caroline Thurner, Christina Witwer, Ingrid Abfalter, and many others
- ▶ **Havard:** Walter Fontana
- ▶ **Beijing:** Xiaopeng Zhu, Wei Deng, Geir Skogerbø, Runsheng Chen
- ▶ **Tübingen:** Stephan Steigele, Kay Nieselt,
- ▶ **Copenhagen:** Jan Gorodkin, Stefan Seemann
- ▶ **Freiburg:** Rolf Backofen, Sebastian Will