

CS 10:
Problem solving via Object Oriented
Programming
Winter 2017

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Day 12 – Keeping order

Agenda



1. Stacks

2. Queues

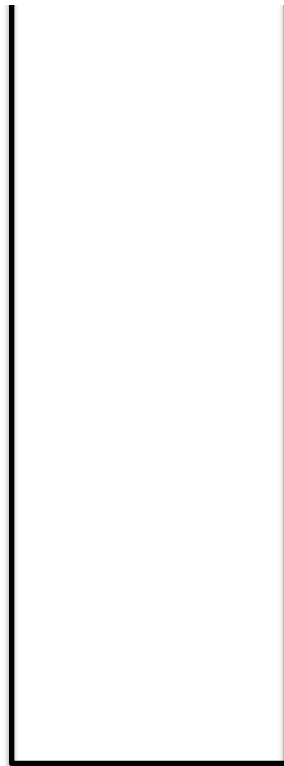
Stacks are a Last In, First Out (LIFO) data structure

Stack overview

- Think of stack of dinner plates (or Pez dispenser)
- Add item to the top, others move down
- To remove, take top item (last one inserted)
- Commonly used in CS – function calls, paren matching, ...
- **Operations**
 - *push* – add item to top of stack
 - *pop* – remove top item and return it
 - *peek* – return top item, but don't remove it
 - *isEmpty* – true if stack empty

Stack in action

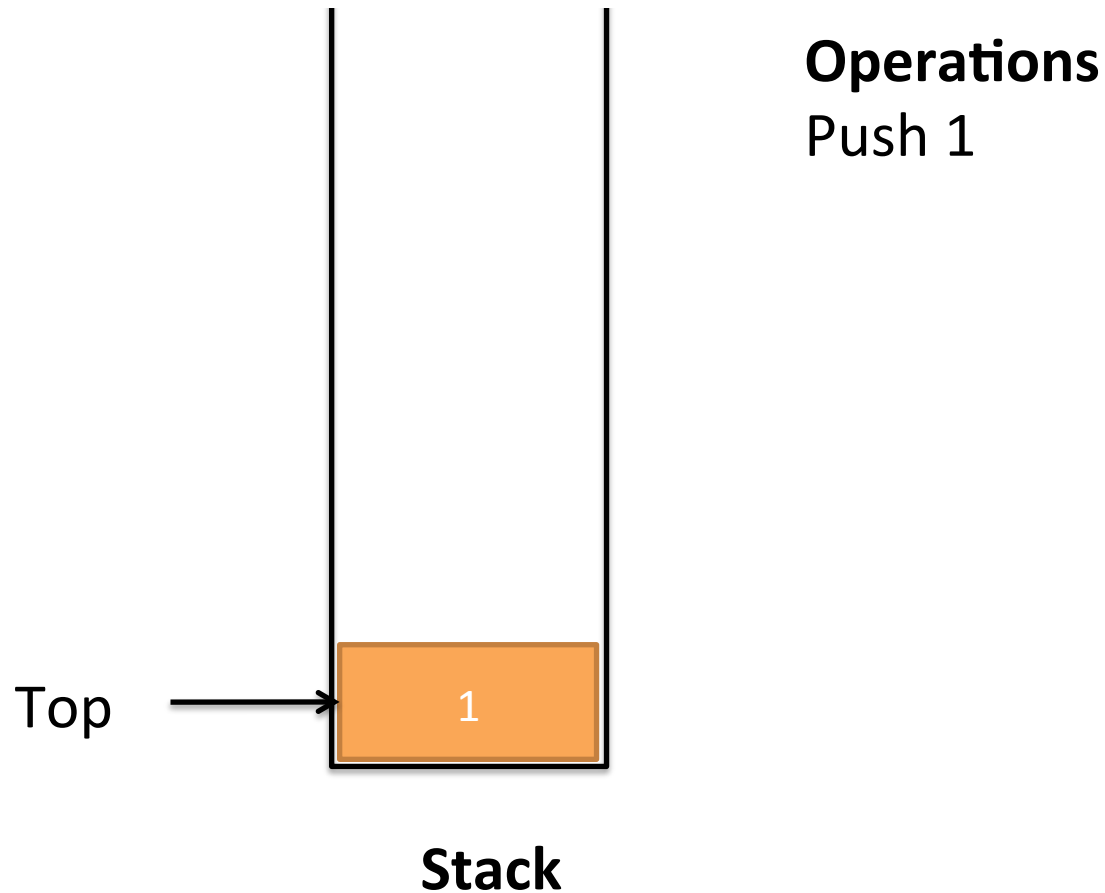
Initially empty



Stack

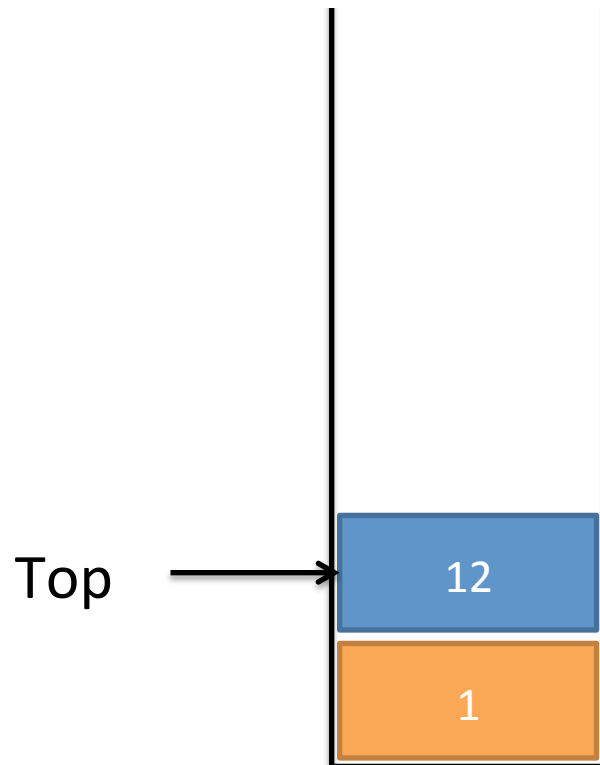
Stack in action

Push 1



Stack in action

Push 12



Operations

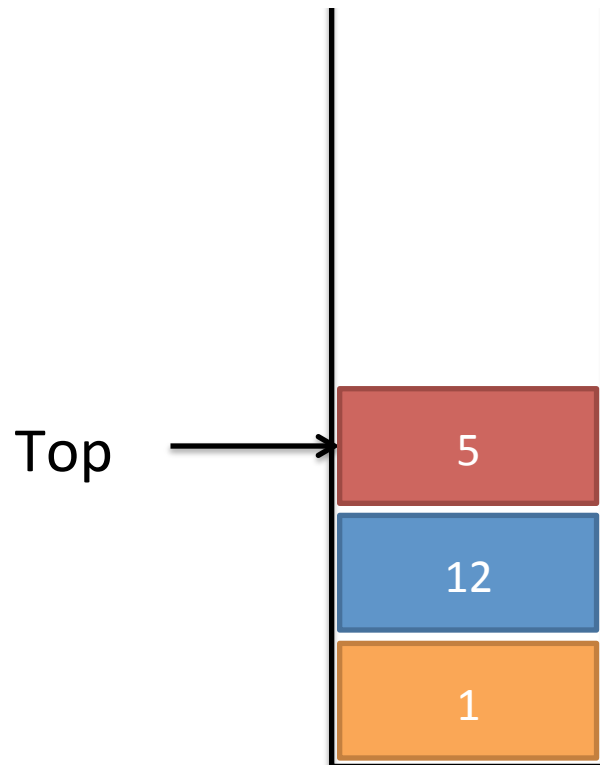
Push 1

Push 12

Stack

Stack in action

Push 5



Operations

Push 1

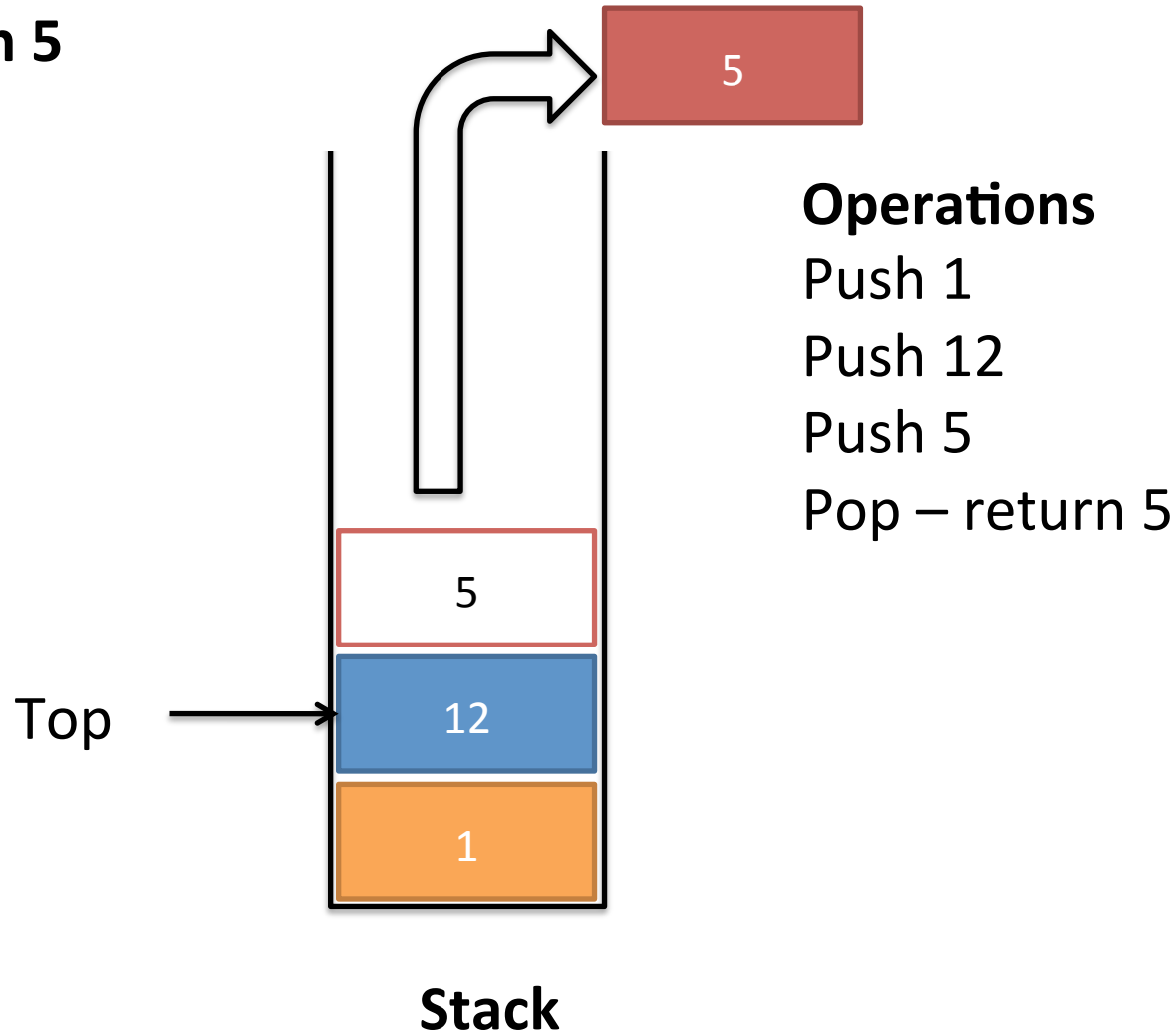
Push 12

Push 5

Stack

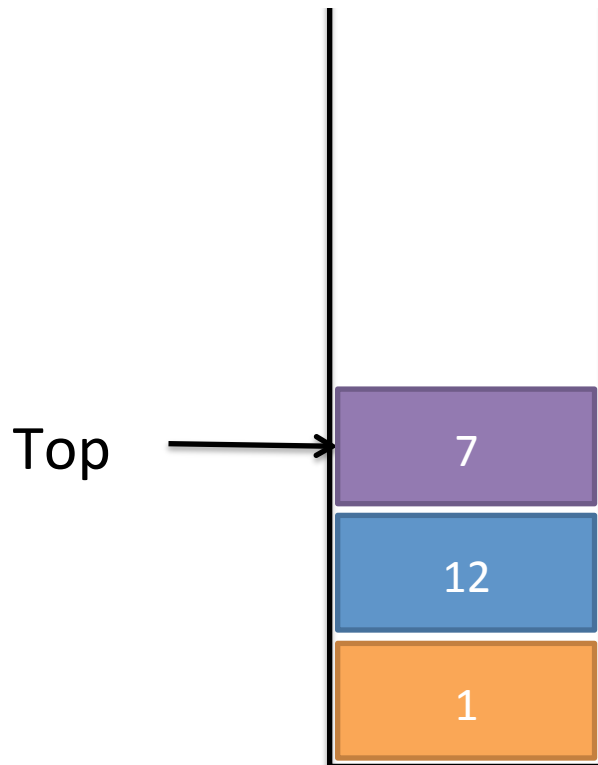
Stack in action

Pop – return 5



Stack in action

Push 7



Stack

Operations

Push 1

Push 12

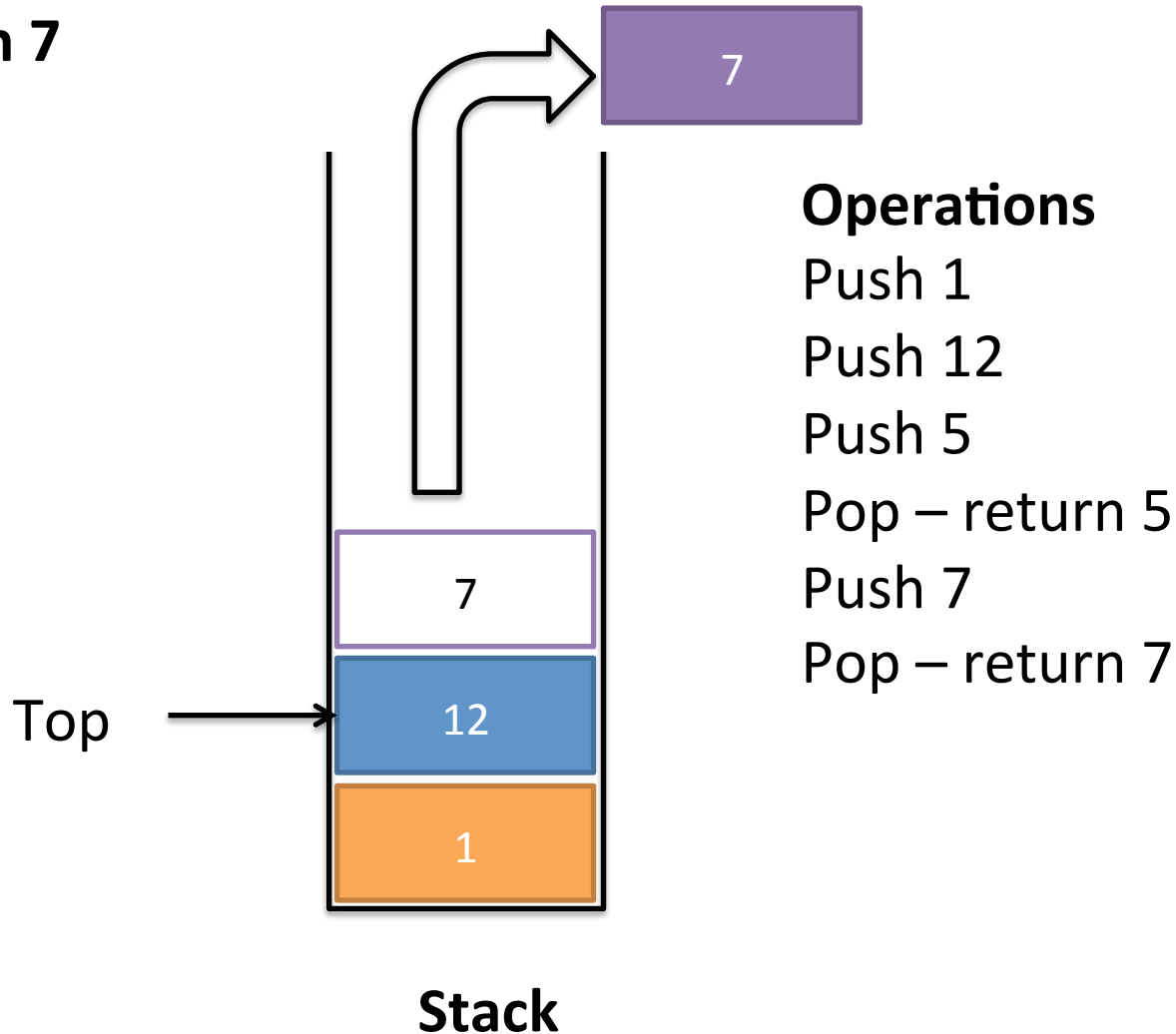
Push 5

Pop – return 5

Push 7

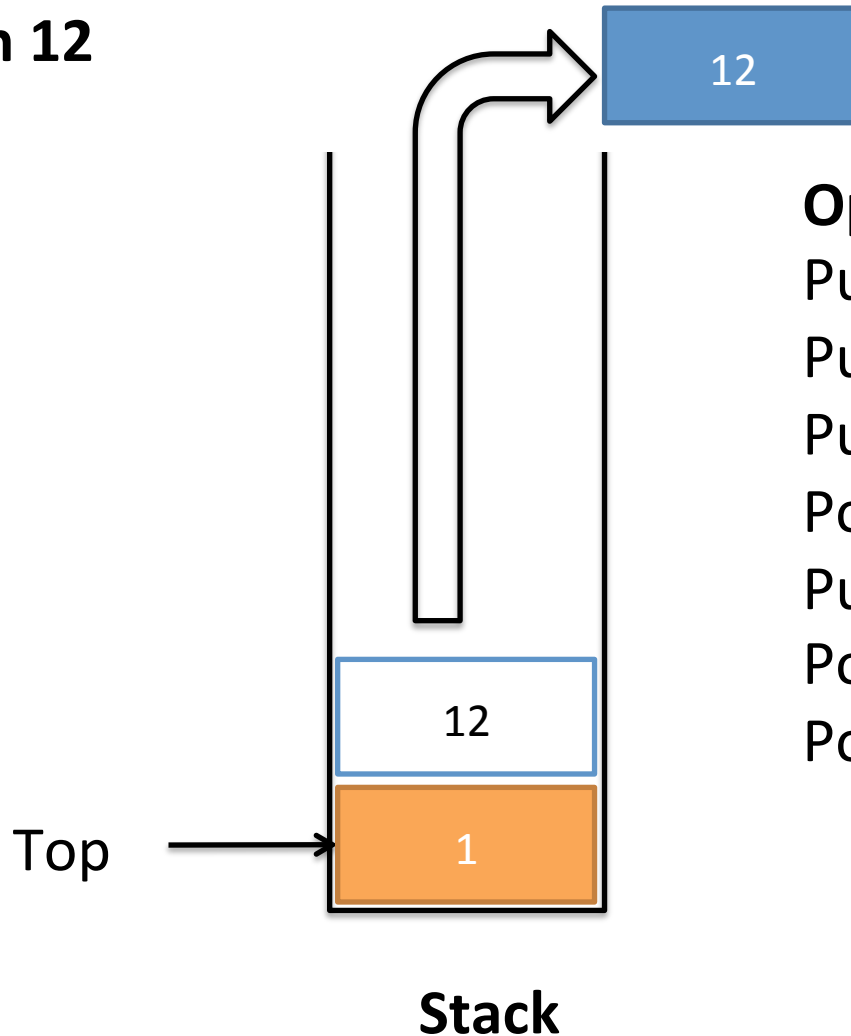
Stack in action

Pop – return 7



Stack in action

Pop – return 12



Operations

Push 1

Push 12

Push 5

Pop – return 5

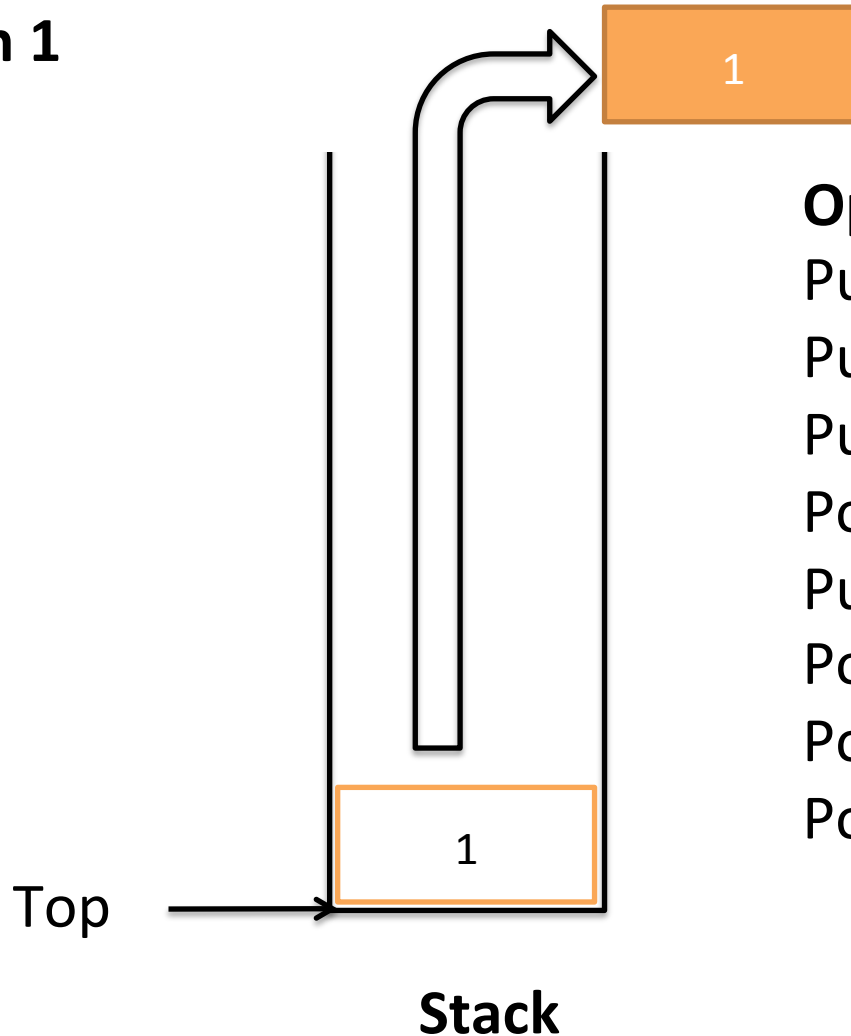
Push 7

Pop – return 7

Pop – return 12

Stack in action

Pop – return 1



Operations

Push 1

Push 12

Push 5

Pop – return 5

Push 7

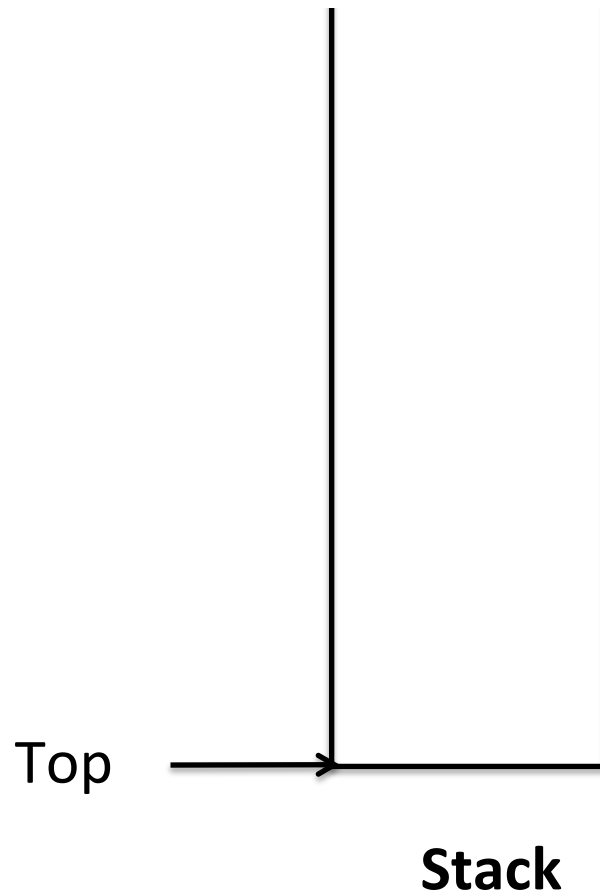
Pop – return 7

Pop – return 12

Pop – return 1

Stack in action

Pop – throw exception



Operations

Push 1

Push 12

Push 5

Pop – return 5

Push 7

Pop – return 7

Pop – return 12

Pop – return 1

Pop – throw exception

SimpleStack.java is an interface defining Stack operations

SimpleStack.java

- Interface that mandates Stack operations

We can use the simple stack to easily match parens in a string

MatchParens.java

- Define what constitutes an open and a close paren
- *check(String s)*
 - Creates new stack of integers called *opened*
 - Loop over all characters in *s*
 - If *s* in open parens, push *idx* (paren type) on to stack
 - If *s* in close parens,
 - If *opened* empty, then string is invalid because we have a close with an open
 - Else if *pop() != idx* then didn't match
 - If stack empty after all chars checked, then all parens match

We can implement a Stack using an array

Stack array implementation

- Create array and set $top = -1$
- To $push(T\text{ elmt})$, add 1 to top and $stack[top] = elmt$
- To $peek()$ return $stack[top]$, if $top \geq 0$
- To $pop()$, do $peek()$ and set $top -= 1$
- Implementation is $O(1)$ for all operations, never need to move items
- Might run out of space using an array
- Can use ArrayList and not run out of space
 - To $push()$, add on to end
 - To $pop()$, remove from end

An ArrayList implementation makes sure the Stack does not run out of space

ArrayListStack.java

- Implements SimpleStack
- ArrayList keeps track of top for us with size!
- *main()*
 - Set breakpoints and run
- Adds are $O(1)$, but might need to resize the array, so amortized $O(1)$, some times takes longer


A Singly Linked List also works well for a Stack, using top as head of list

SLLStack.java

- Implements SimpleStack
- Top of stack is head
- Implementation is straight forward
 - *push()* adds to front
 - *pop()* removes from front
- All operations $O(1)$
- Never have empty space list an array implementation

Agenda

1. Stacks

 2. Queues

Queues are a First In, First Out (FIFO) data structure

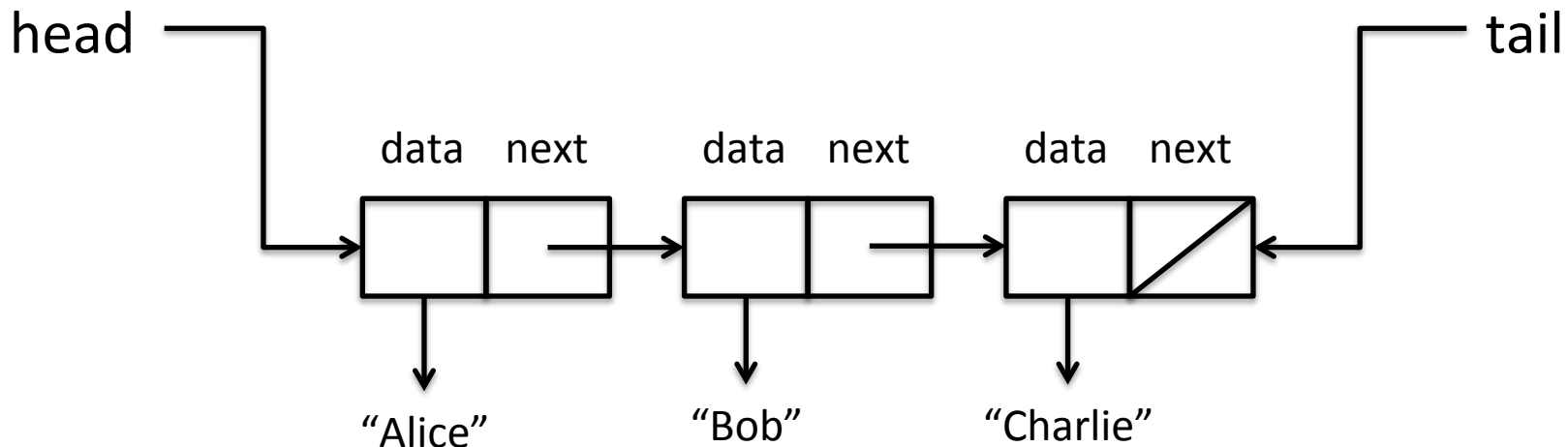
Queue overview

- Think of line at a store, join in back, leave from front
- Used in simulations, queuing print jobs, running jobs, could have used it for PS-1 to visit neighbor pixels
- **Operations**
 - *enqueue* – add item at rear of queue
 - *dequeue* – remove and return first item in queue
 - *front* – return first item, but don't remove it
 - *isEmpty* – true if queue empty
- Java uses different names (first ones throw errors, seconds ones return false if unable to complete)
 - *enqueue* == *add()* and *offer()*
 - *dequeue* == *remove()* and *poll()*
 - *front* == *element()* and *peek()*

Queues can be implemented with Singly Linked List using head and tail pointers

Queue implementation

- Easy to remove from head
- Use tail to add to back of queue
 - Set new element next to null
 - Set previous tail next to new element
- All operations $O(1)$



All operations on a Singly Linked List implementation are $O(1)$

SLLQueue.java

- Implements SimpleQueue, tracks *head* and *tail*
- *enqueue(T item)*
 - If *isEmpty()*, set *head* and *tail* to *item*
 - Else *tail.next = new Element*, *tail=tail.next*
- *dequeue()*
 - Check for *isEmpty()*
 - Save *head.data* in temporary *item*
 - *head = head.next*
 - return *item*
- *front()*
 - Return *head.data*
- Run

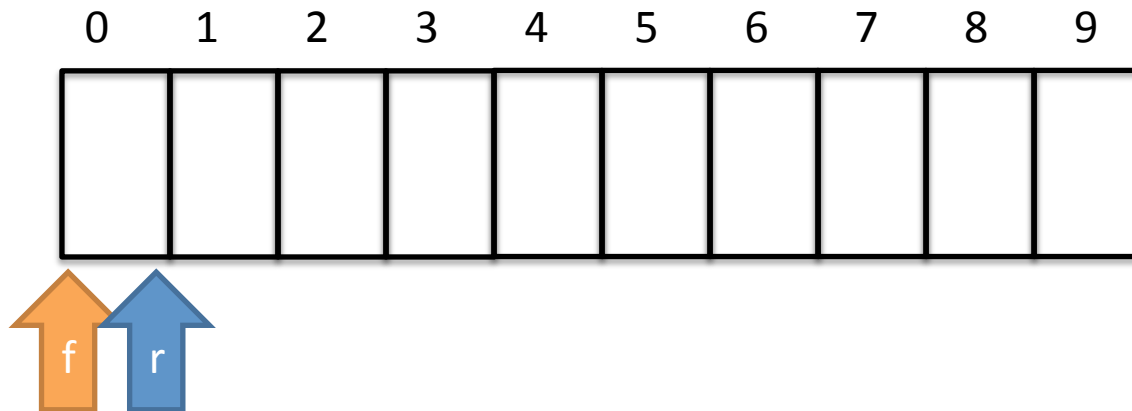
Arrays are seemingly unpromising as a Queue data structure, but it can work well

Array implementation

- Could *enqueue* at back, *dequeue* from front
 - *enqueue* is fast, just add item to end $O(1)$
 - *dequeue* must move all elements left one space $O(n)$
- Could *enqueue* at front and *dequeue* from back
 - *enqueue* must move all elements right one space $O(n)$
 - *dequeue* is fast, just take last item $O(1)$
- Could track *front* and *rear* indexes (circular array)
 - *enqueue* at r , then increment r
 - *dequeue* at f , then increment f
 - If f or $r > m-1$, wrap around to empty spaces at front
 - Full or empty when $f == r$ (use empty space or track count of items)
 - *enqueue* and *dequeue* $O(1)$

Array implementing a Queue using index for front and rear

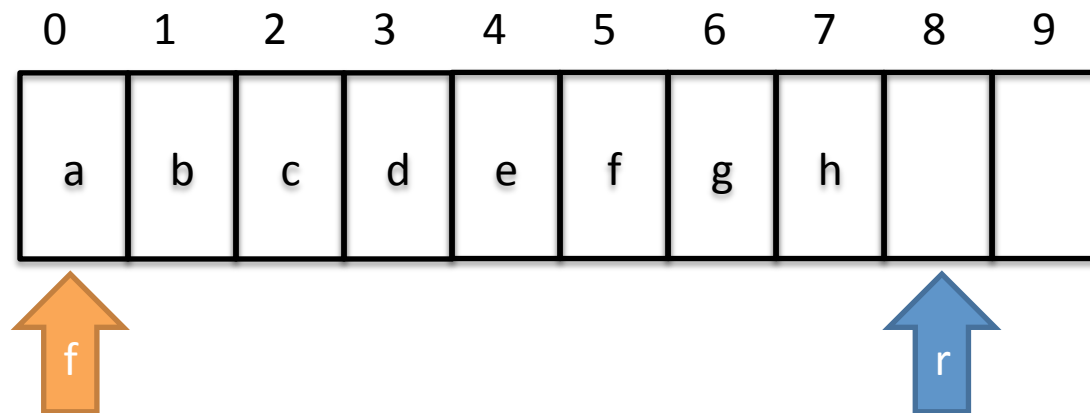
Array implementing Queue



Empty $f == r$, size = 0

Array implementing a Queue using index for front and rear

Array implementing Queue



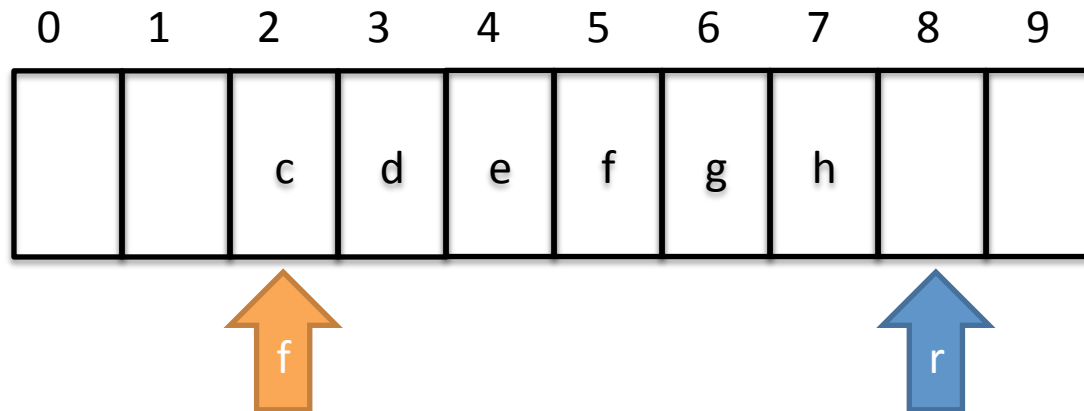
enqueue (a)

...

enqueue (h)

Array implementing a Queue using index for front and rear

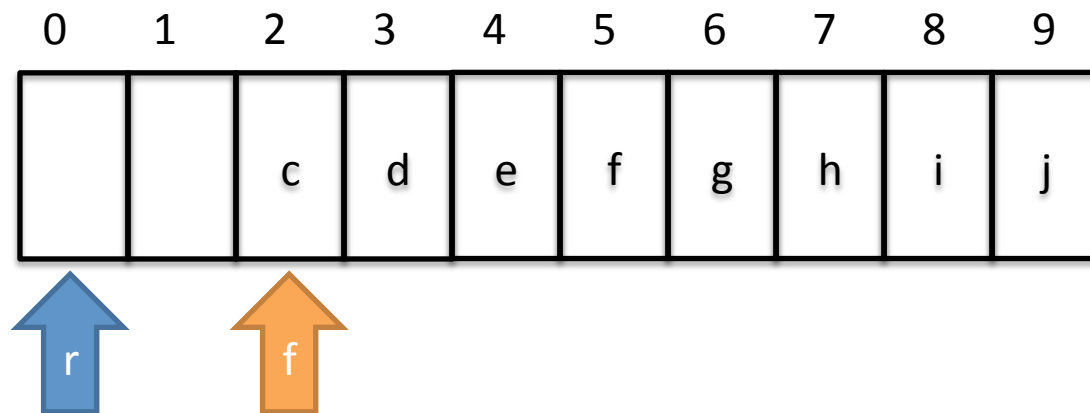
Array implementing Queue



dequeue()
dequeue()

Array implementing a Queue using index for front and rear

Array implementing Queue



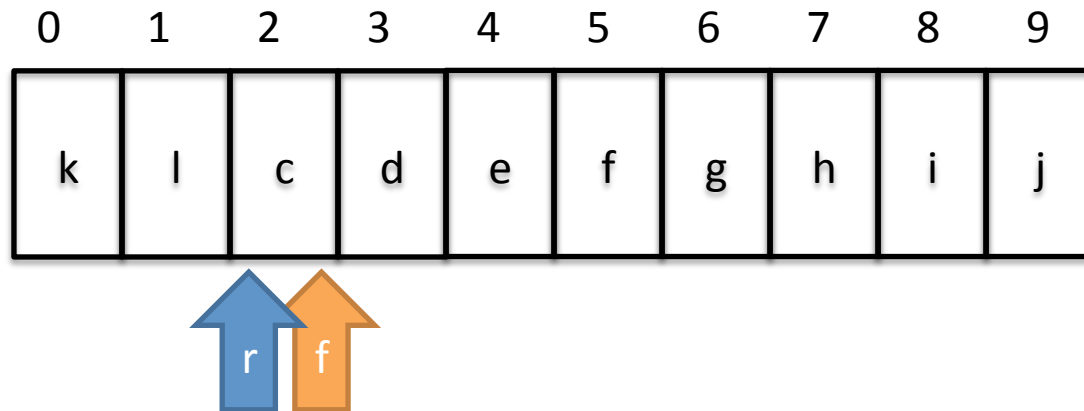
`enqueue(i)`

`enqueue(j)`

Wrap around `r` to front empty spaces due to prior `dequeue` operations

Array implementing a Queue using index for front and rear

Array implementing Queue



Enqueue(k)

Enqueue(l)

Queue is full $f == r$ and $size \neq 0$

How would extending array size work?

Start with f and copy to end of array (2-9), then copy from 0 to $r-1$ (0 and 1)